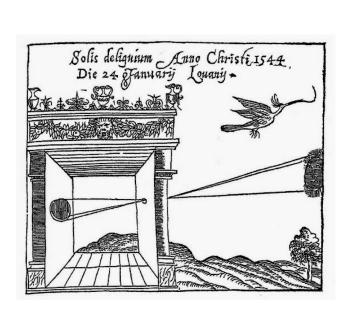
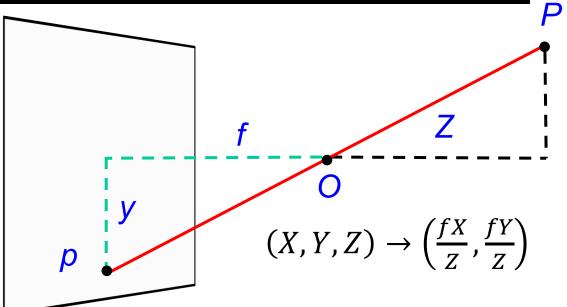
Cameras, Light and Shading

CS 543 / ECE 549 – Saurabh Gupta Spring 2020, UIUC

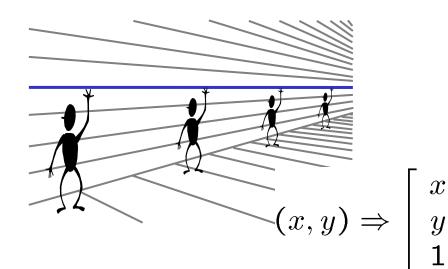
http://saurabhg.web.illinois.edu/teaching/ece549/sp2020/

Recap









Overview

- Cameras with lenses
 - Depth of field
 - Field of view
 - Lens aberrations
- Brightness of a pixel
 - Small taste of radiometry
 - In-camera transformation of light
 - Reflectance properties of surfaces
 - Lambertian reflection model
 - Shape from shading

Building a Real Camera

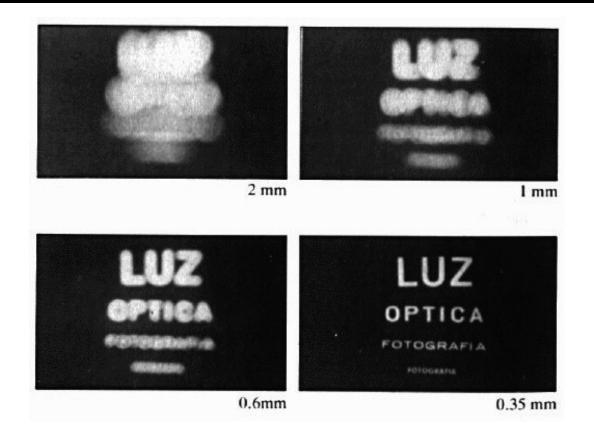


Home-made pinhole camera



http://www.debevec.org/Pinhole/

Shrinking the aperture



Why not make the aperture as small as possible?

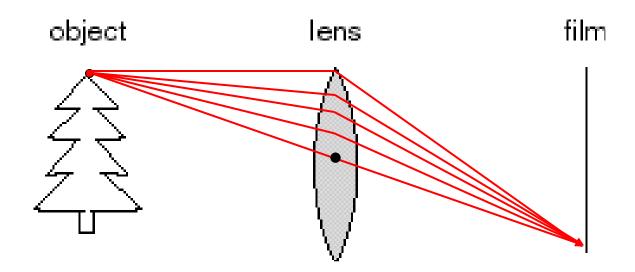
- Less light gets through
- Diffraction effects...

Shrinking the aperture



Adding a lens

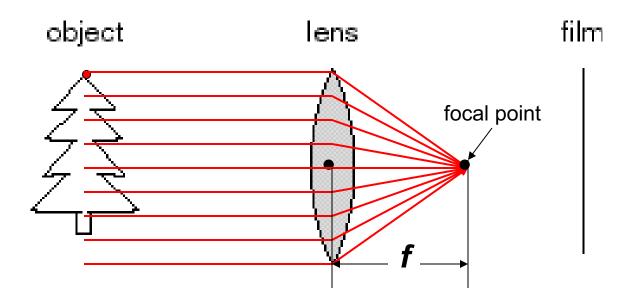
Adding a lens



A lens focuses light onto the film

- Thin lens model:
 - Rays passing through the center are not deviated (pinhole projection model still holds)

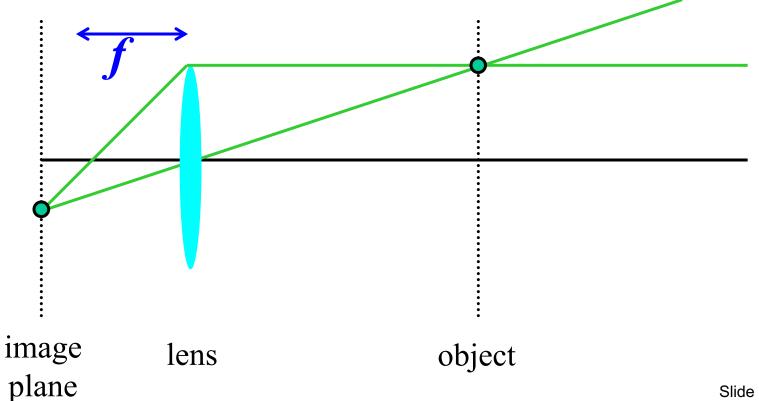
Adding a lens



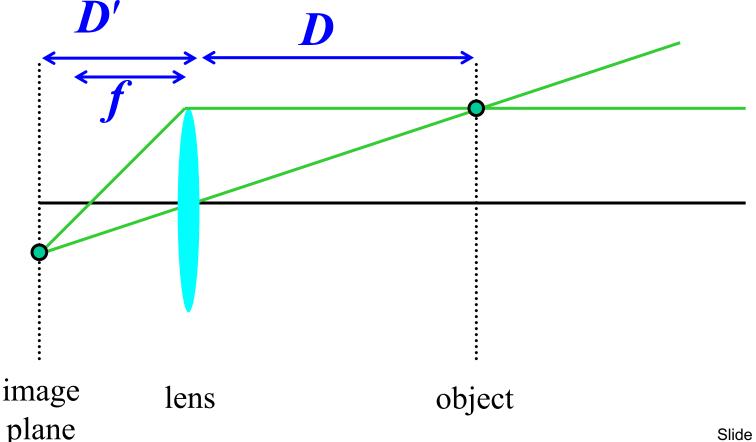
A lens focuses light onto the film

- Thin lens model:
 - Rays passing through the center are not deviated (pinhole projection model still holds)
 - All rays parallel to the optical axis pass through the focal point
 - All parallel rays converge to points on the focal plane

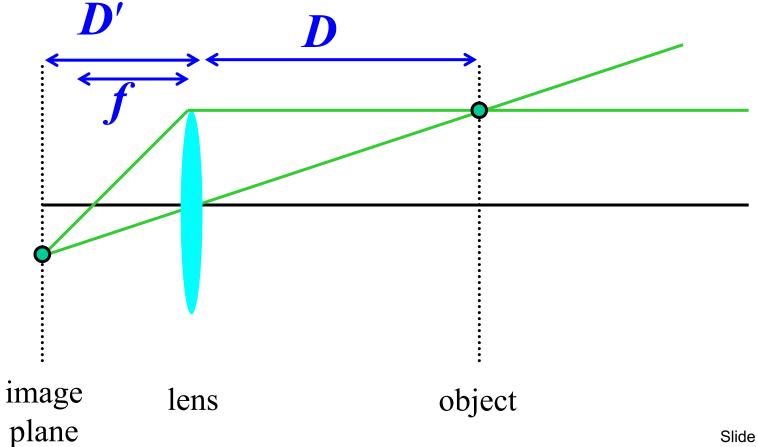
• Where does the lens focus the rays coming from a given point in the scene?



• What is the relation between the focal length (f), the distance of the object from the optical center (D), and the distance at which the object will be in focus (D')?

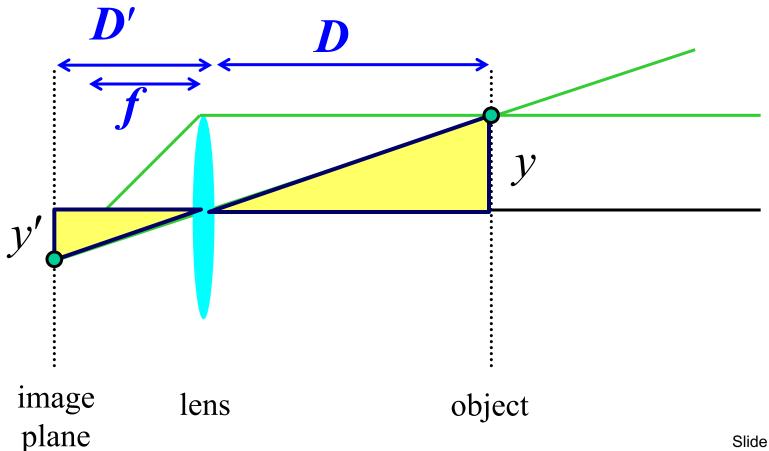


Similar triangles everywhere!



Similar triangles everywhere!

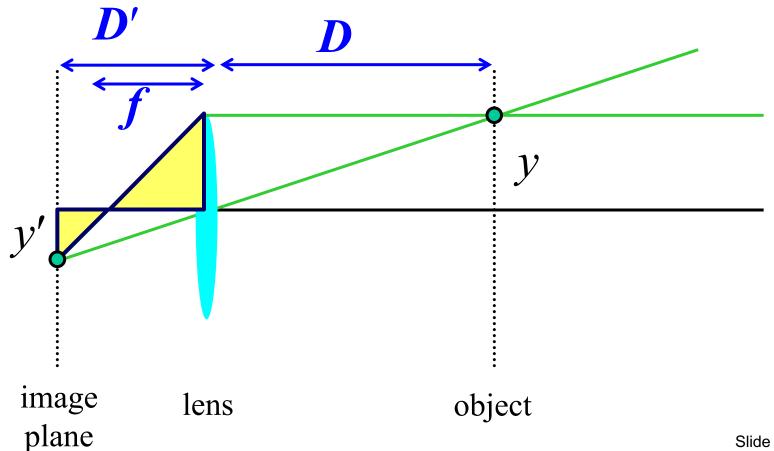
$$y'/y = D'/D$$



Similar triangles everywhere!

$$y'/y = D'/D$$

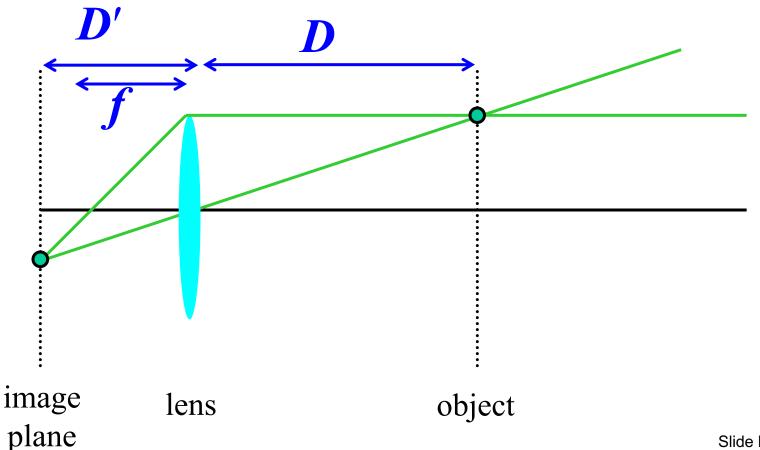
$$y'/y = (D'-f)/f$$



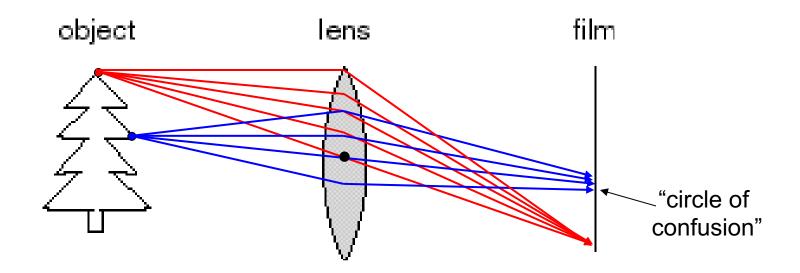
$$\frac{1}{D'} + \frac{1}{D} = \frac{1}{f}$$

Any point satisfying the thin lens equation is in focus.

What happens when *D* is very large?



Depth of Field



For a fixed focal length, there is a specific distance at which objects are "in focus"

Other points project to a "circle of confusion" in the image

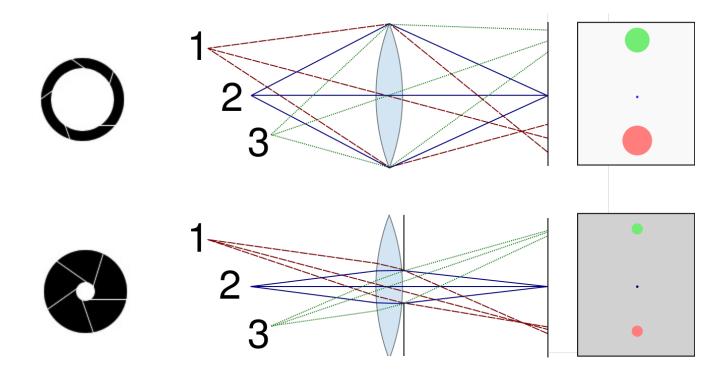
Depth of Field





http://www.cambridgeincolour.com/tutorials/depth-of-field.htm

Controlling depth of field



Changing the aperture size affects depth of field

- A smaller aperture increases the range in which the object is approximately in focus
- But small aperture reduces amount of light need to increase exposure

Varying the aperture

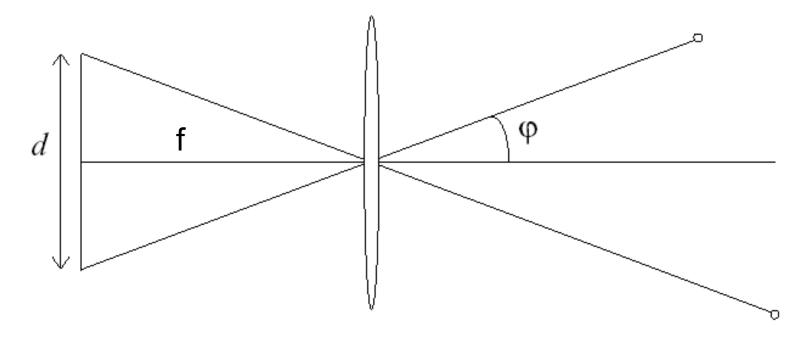


Large aperture = small DOF



Small aperture = large DOF

Field of View

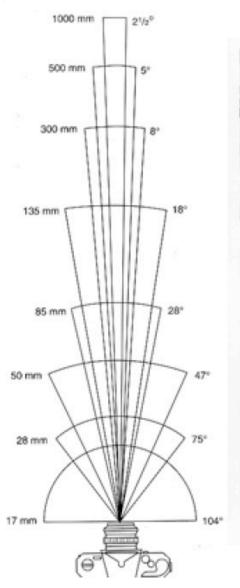


FOV depends on focal length and size of the camera retina

$$\varphi = \tan^{-1}(\frac{d}{2f})$$

Larger focal length = smaller FOV

Field of View





17mm



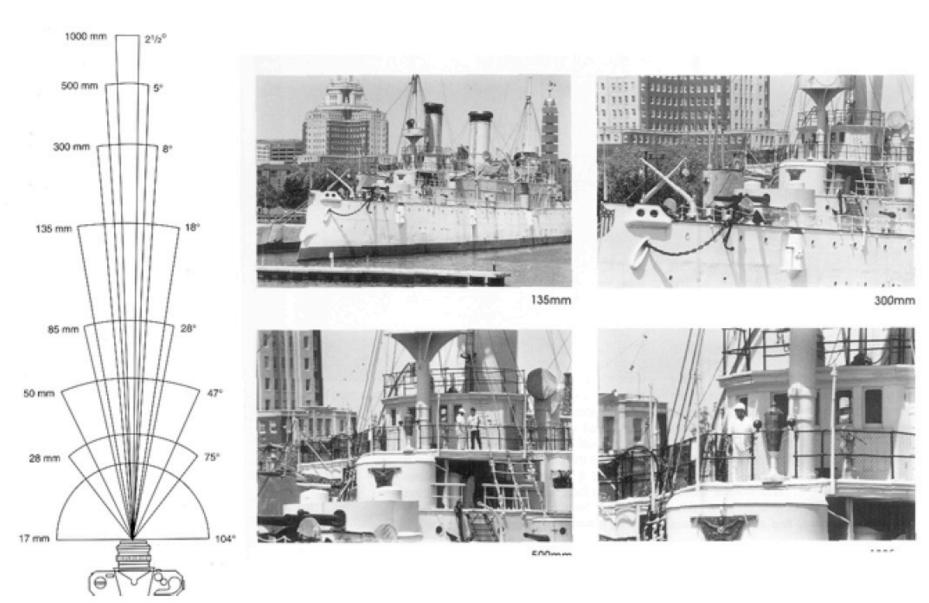


28mm

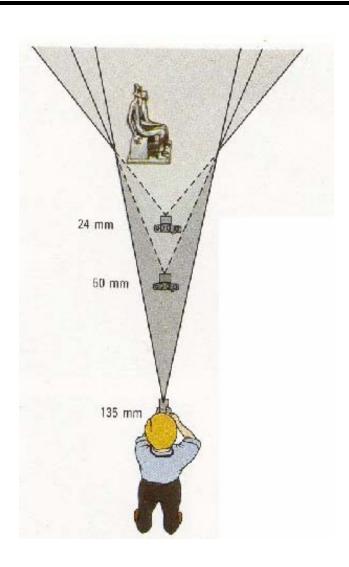


85mm

Field of View



Field of View / Focal Length





Large FOV, small *f* Camera close to car



Small FOV, large *f*Camera far from the car

Same effect for faces



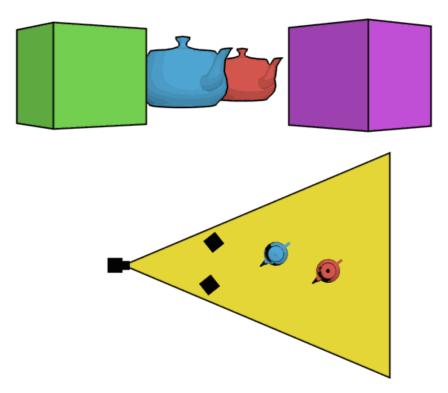




wide-angle standard telephoto

The dolly zoom

 Continuously adjusting the focal length while the camera moves away from (or towards) the subject



http://en.wikipedia.org/wiki/Dolly zoom

The dolly zoom

- Continuously adjusting the focal length while the camera moves away from (or towards) the subject
- "The Vertigo shot"





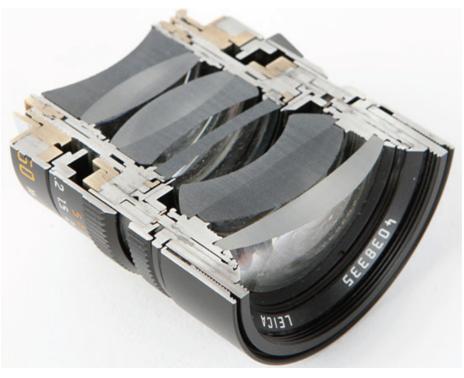
Example of dolly zoom from *Goodfellas* (YouTube)

Example of dolly zoom from *La Haine* (YouTube)

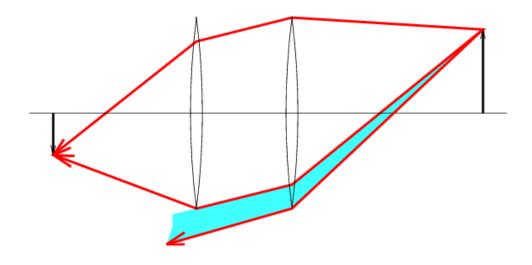
Real lenses







Lens flaws: Vignetting

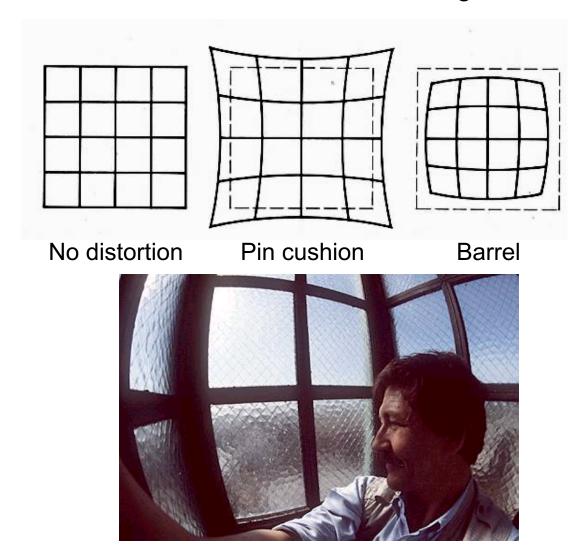






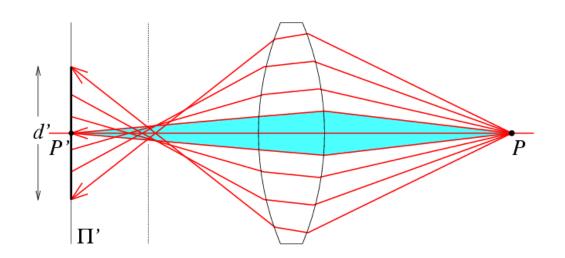
Radial Distortion

- Caused by imperfect lenses
- Deviations are most noticeable near the edge of the lens



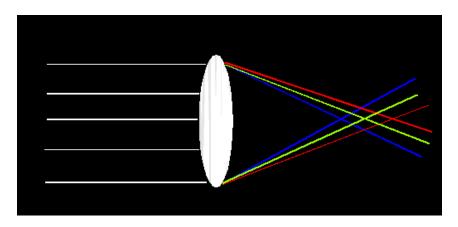
Lens flaws: Spherical aberration

Spherical lenses don't focus light perfectly
Rays farther from the optical axis focus closer



Lens Flaws: Chromatic Aberration

Lens has different refractive indices for different wavelengths: causes color fringing



Near Lens Center



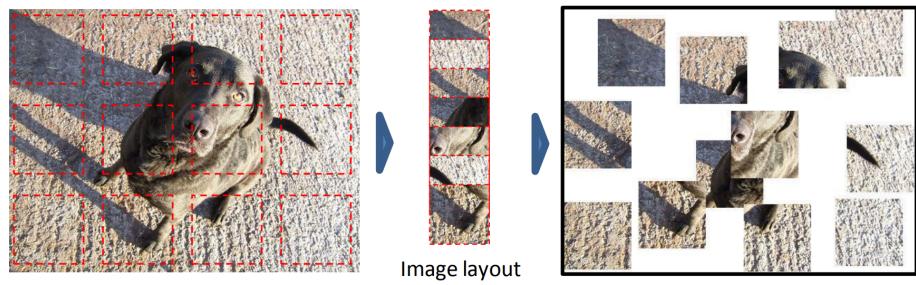
Near Lens Outer Edge



Slide by L. Lazebnik

Lens Flaws: Chromatic Aberration

Researchers tried teaching a network about objects by forcing it to assemble jigsaws.



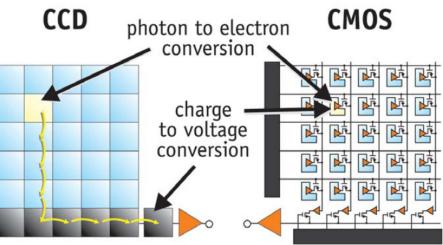
Initial layout, with sampled patches in red

is discarded

We can recover image layout automatically

Digital camera sensors





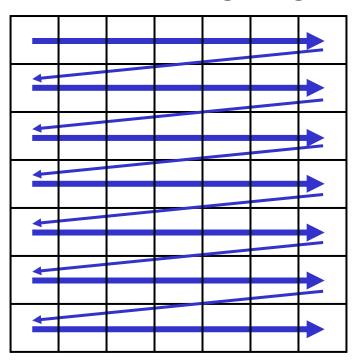
CCDs move photogenerated charge from pixel to pixel and convert it to voltage at an output node. CMOS imagers convert charge to voltage inside each pixel.

- Each cell in a sensor array is a light-sensitive diode that converts photons to electrons
 - Dominant in the past: Charge Coupled Device (CCD)
 - Dominant now: Complementary Metal Oxide Semiconductor (CMOS)

http://electronics360.globalspec.com/article/9464/ccd-vs-cmos-the-shift-inimage-sensor-technology

From Photon to Photo

Rolling Shutter: pixels read in sequence Can get global reading, but \$\$\$



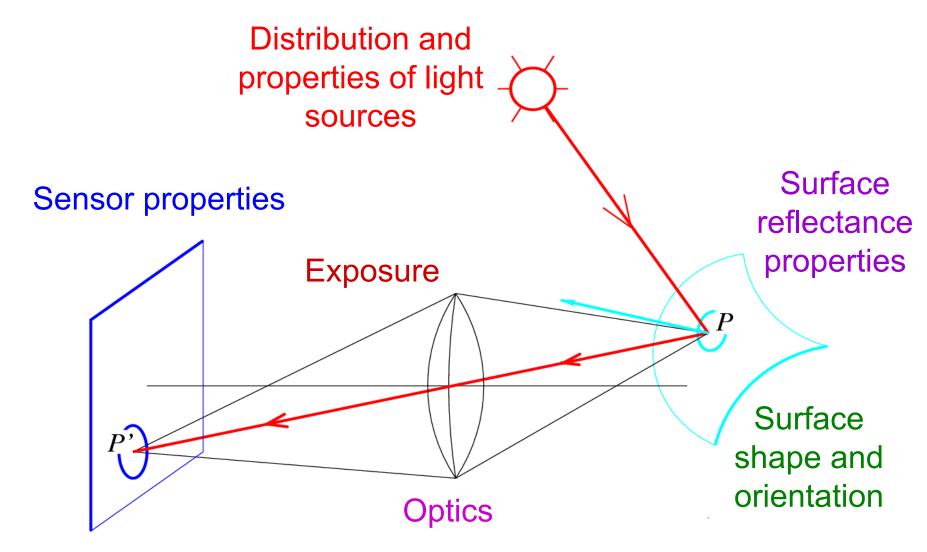


Overview

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Image formation

What determines the brightness of an image pixel?



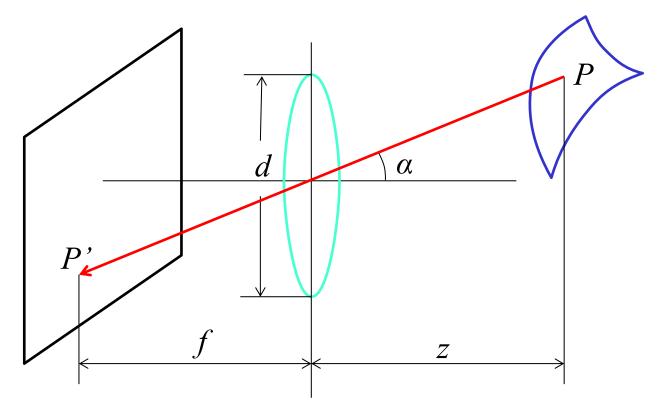
Fundamental radiometric relation

L: Radiance emitted from P toward P'

Energy carried by a ray (Watts per sq. meter per steradian)

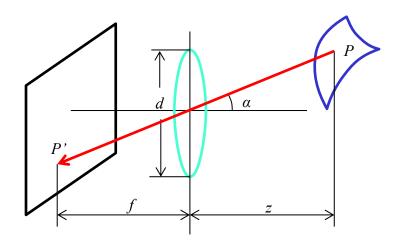
E: Irradiance falling on P' from the lens

Energy arriving at a surface (Watts per sq. meter)



What is the relationship between *E* and *L*?

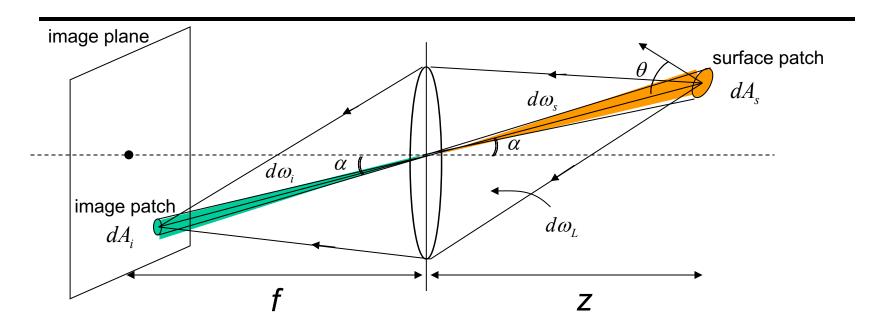
Fundamental radiometric relation



$$E = \left\lceil \frac{\pi}{4} \left(\frac{d}{f} \right)^2 \cos^4 \alpha \right\rceil L$$

- Image irradiance is linearly related to scene radiance
- Irradiance is proportional to the area of the lens and inversely proportional to the squared distance between the lens and the image plane
- The irradiance falls off as the angle between the viewing ray and the optical axis increases

Relation between Image Irradiance E and Scene Radiance L



Solid angles of the double cone (orange and green):

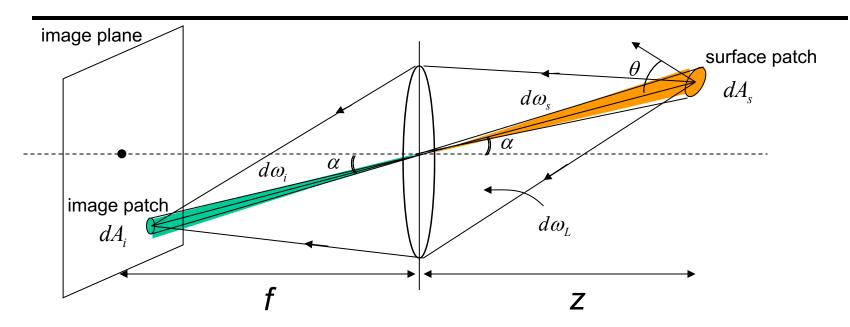
$$d\omega_i = d\omega_s \qquad \frac{dA_i \cos \alpha}{(f/\cos \alpha)^2} = \frac{dA_s \cos \theta}{(z/\cos \alpha)^2}$$

Solid angle subtended by lens:

 $d\omega_{L} = \frac{\pi d^{2}}{4} \frac{\cos \alpha}{(z/\cos \alpha)^{2}} \longrightarrow (2)$

 $\frac{\cos \alpha}{\alpha}$

Relation between Image Irradiance E and Scene Radiance L

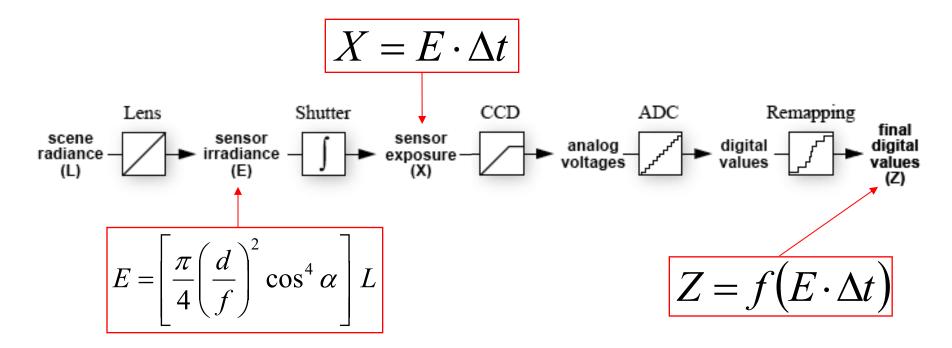


• Flux received by lens from dA_s = Flux projected onto image dA_i

• From (1), (2), and (3):
$$E = L \frac{\pi}{4} \left(\frac{d}{f}\right)^2 \cos \alpha^4$$

- Image irradiance is proportional to Scene Radiance!
- Small field of view → Effects of 4th power of cosine are small.

From light rays to pixel values

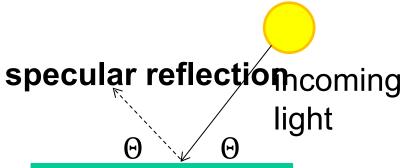


- Camera response function: the mapping f from irradiance to pixel values
 - Useful if we want to estimate material properties
 - Enables us to create high dynamic range (HDR) images
 - Classic reference: P. E. Debevec and J. Malik, <u>Recovering High</u>
 <u>Dynamic Range Radiance Maps from Photographs</u>, SIGGRAPH 97

Basic models of reflection

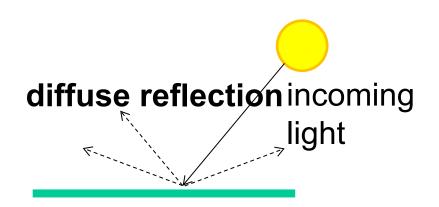
Specular: light bounces off at the incident angle

• E.g., mirror



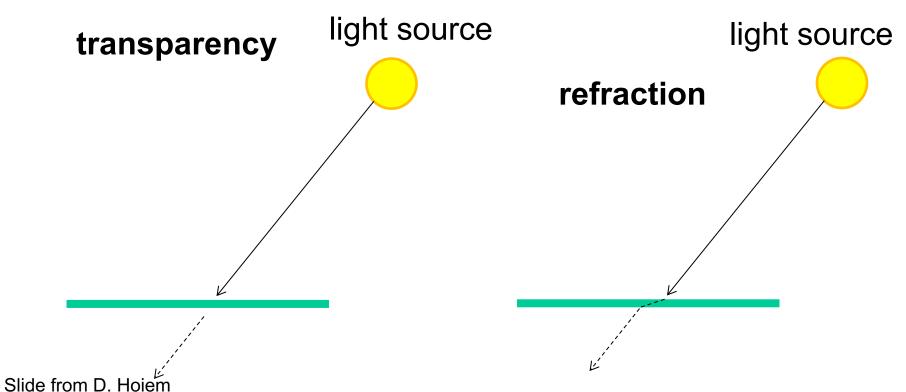
Diffuse: light scatters in all directions

E.g., brick, cloth, rough wood



Other possible effects

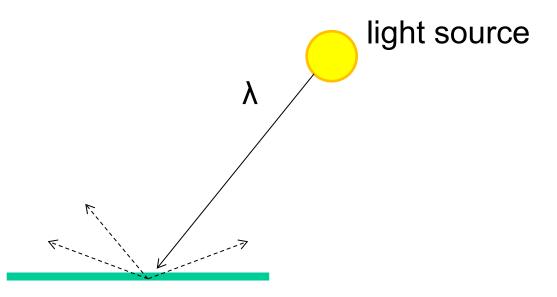




Other possible effects



subsurface scattering



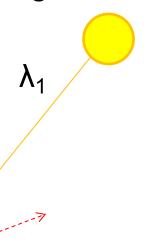
Slide from D. Hoiem

Other possible effects

fluorescence



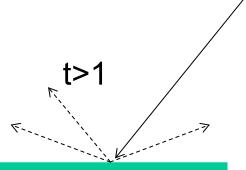
light source



phosphorescence



light source



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More next class ...