## Application: Image Blending


(a)

(c)

(b)

(d)

(a)

(d)

(g)


(b)

(e)

(h)


(c)

(f)

(i)


## Blending



## Alpha Blending / Feathering



## Affect of Window Size




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${ }_{0}^{1}+$

## Good Window Size


"Optimal" Window: smooth but not ghosted

## What is the Optimal Window?

- To avoid seams
- window $=$ size of largest prominent feature
- To avoid ghosting
- window <=2*size of smallest prominent feature


## Natural to cast this in the Fourier domain

- largest frequency <= 2*size of smallest frequency
- image frequency content should occupy one "octave" (power of two)



## What if the Frequency Spread is Wide



- Idea (Burt and Adelson)
- Compute $F_{\text {left }}=\operatorname{FFT}\left(I_{\text {left }}\right), F_{\text {right }}=\operatorname{FFT}\left(I_{\text {right }}\right)$
- Decompose Fourier image into octaves (bands)
- $F_{\text {left }}=F_{\text {left }}{ }^{1}+F_{\text {left }}{ }^{2}+\ldots$
- Feather corresponding octaves $F_{\text {left }}{ }^{i}$ with $F_{\text {right }}{ }^{i}$
- Can compute inverse FFT and feather in spatial domain
- Sum feathered octave images in frequency domain
- Better implemented in spatial domain


## Octaves in the Spatial Domain

Lowpass Images


- Bandpass Images


## Pyramid Blending



Left pyramid

blend


Right pyramid

## Pyramid Blending




(h)

(1)


## Blending Regions



## Laplacian Pyramid: Blending

- General Approach:

1. Build Laplacian pyramids $L A$ and $L B$ from images $A$ and $B$
2. Build a Gaussian pyramid GR from selected region $R$
3. Form a combined pyramid $L S$ from $L A$ and $L B$ using nodes of $G R$ as weights:

- $L S(i, j)=G R(I, j,)^{*} L A(1, j)+(1-G R(I, j)) * L B(1, j)$

4. Collapse the $L S$ pyramid to get the final blended image
