Introduction to Recognition

Computer Vision
CS 543 / ECE 549
University of Illinois

Outline

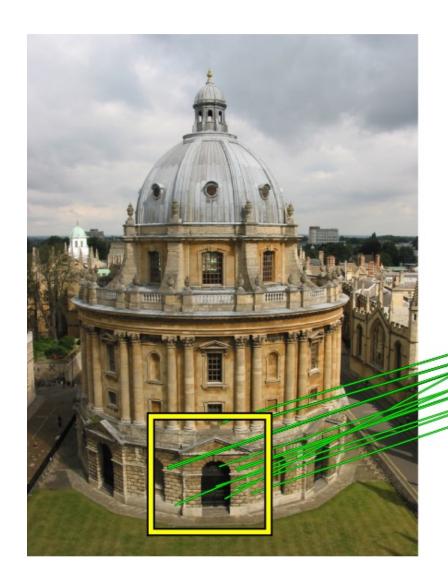
- Overview
 - Task descriptions
 - Basic approach
- Classifiers
- Features
- Basic Machine Learning Concepts
- Convolutional neural networks (CNNs)

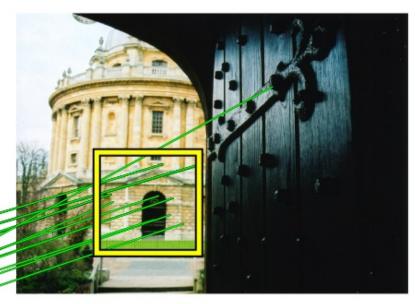
Recognition as 3D Matching



http://www.robots.ox.ac.uk/~vgg/research/oxbuildings/index.html

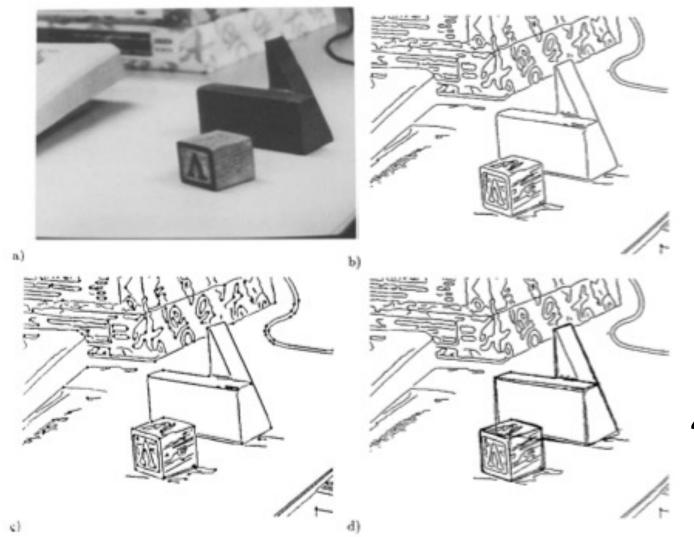
Recognition as 3D Matching





Recognizing solid objects by alignment with an image. Huttenlocher and Ullman IJCV 1990.

Recognition as 3D Matching



"Instance" Recognition

"Category-level" Recognition

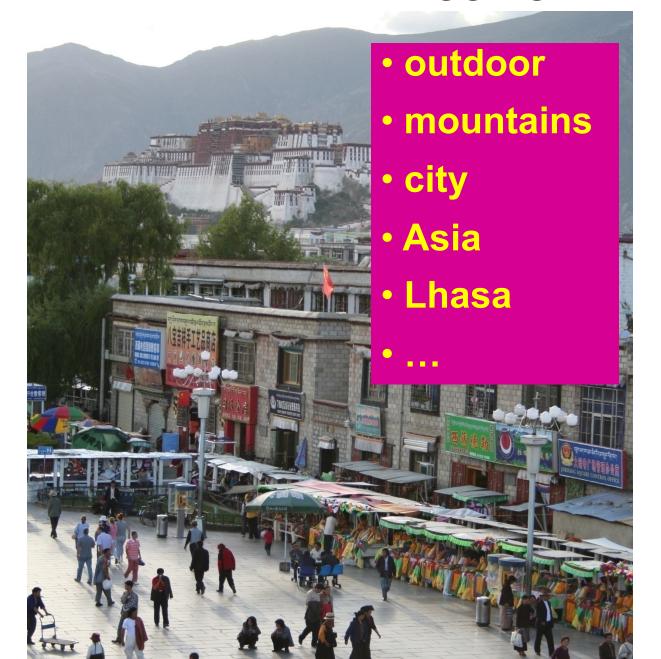
Fig. 8. The output of the recognizer: (a) grey-level image input, (b) Canny edges, (c) edge segments, (d) recovered instances.

Recognizing solid objects by alignment with an image. Huttenlocher and Ullman IJCV 1990.

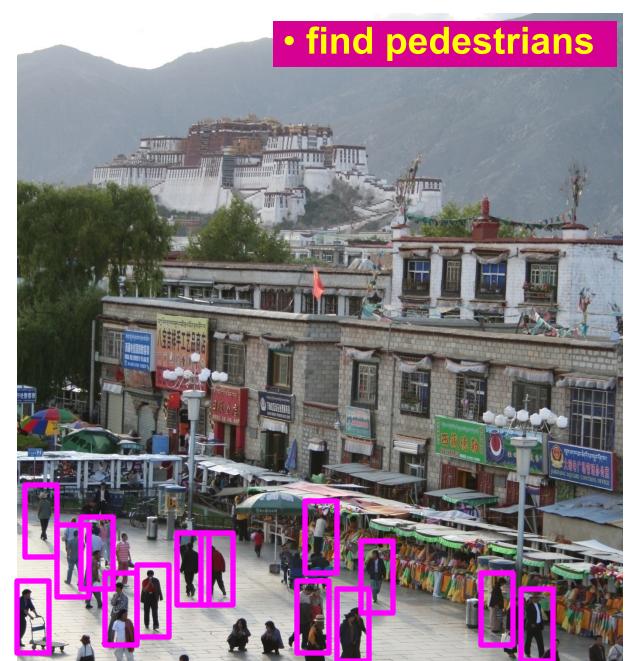
Common recognition tasks



Image classification and tagging



Object detection



Activity recognition



Semantic segmentation



Semantic segmentation



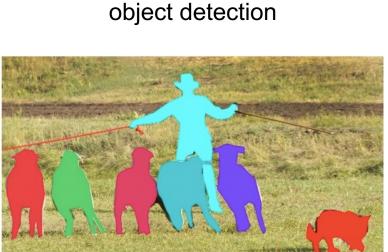
Detection, semantic segmentation, instance segmentation



image classification

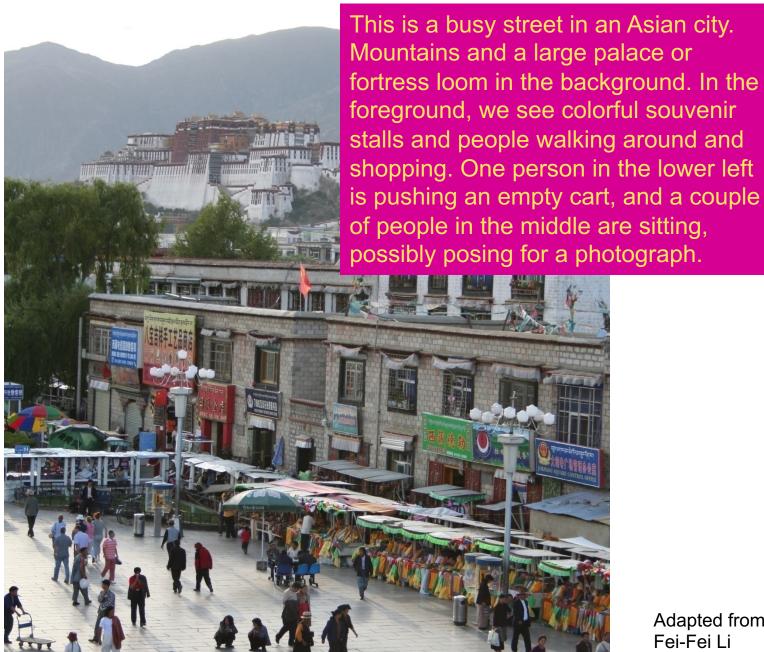


semantic segmentation



instance segmentation

Image description

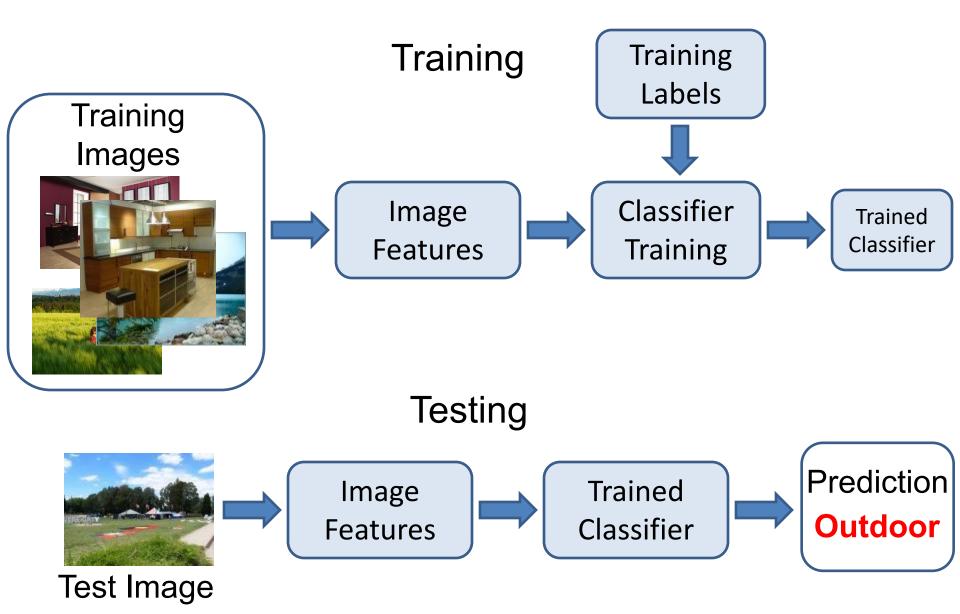


Many vision problems involve categorization

- Image: Classify as indoor/outdoor, which room, what objects are there, etc.
- Object Detection: classify location (bounding box or region) as object or non-object
- Semantic Segmentation: *classify* pixel into an object, material, part, etc.
- Action Recognition: classify a frame or sequence into an action type

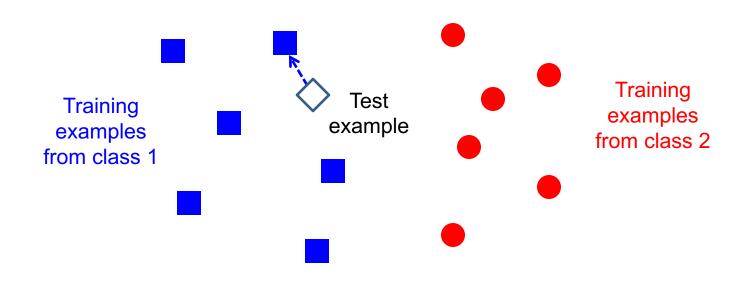
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Basic Approach: Supervised Learning



- Do you know about the following? (Pick all)
 - a) Nearest Neighbor Classifiers
 - b) Support Vector Machines
 - c) Kernelized Support Vector Machines
 - d) Decision Tress
 - e) Random Forests

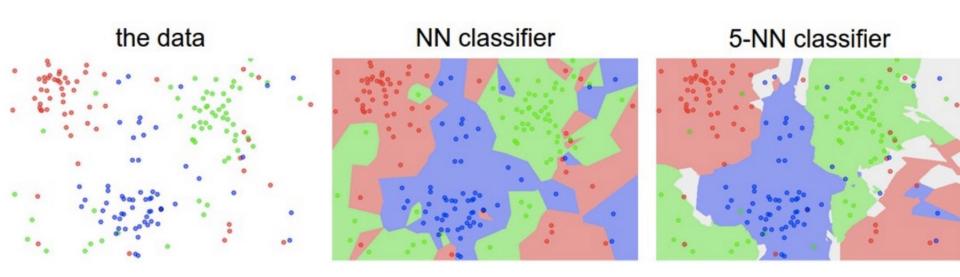
Classifiers: Nearest neighbor



f(x) = label of the training example nearest to x

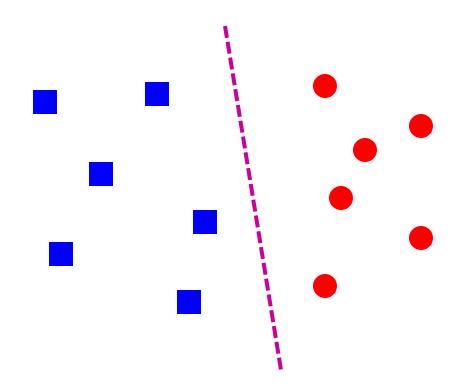
- All we need is a distance or similarity function for our inputs
- No training required!

K-nearest neighbor classifier



• Which classifier is more robust to *outliers*?

Linear classifiers

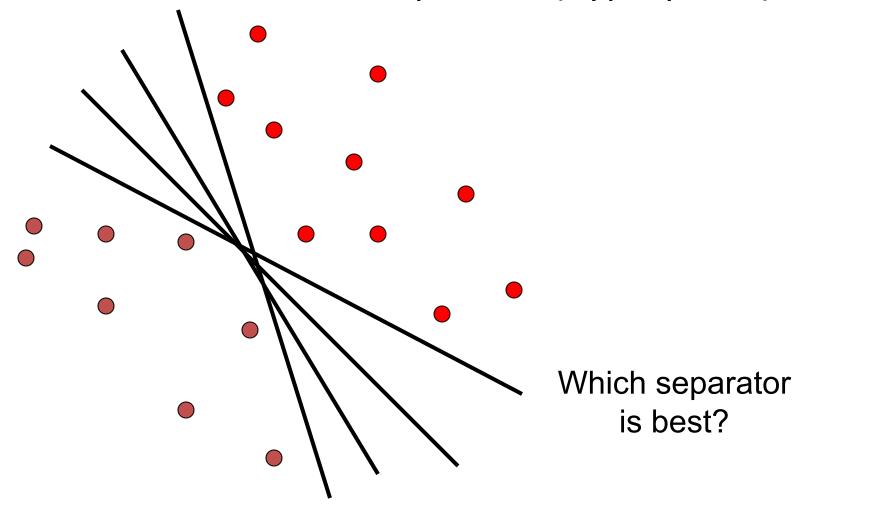


• Find a *linear function* to separate the classes:

$$f(\mathbf{x}) = sign(\mathbf{w} \cdot \mathbf{x} + \mathbf{b})$$

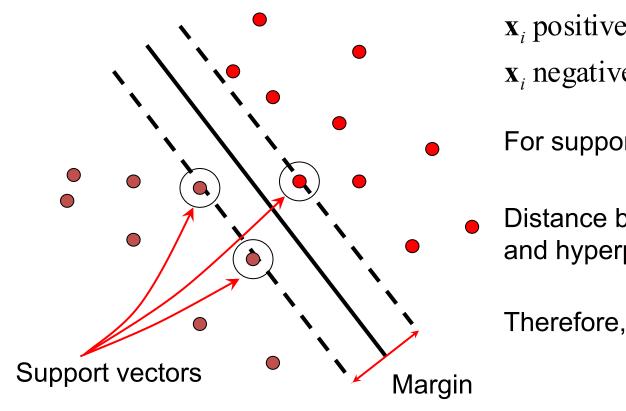
Linear classifiers

 When the data is linearly separable, there may be more than one separator (hyperplane)



Support vector machines

 Find hyperplane that maximizes the margin between the positive and negative examples



$$\mathbf{x}_i$$
 positive $(y_i = 1)$: $\mathbf{x}_i \cdot \mathbf{w} + b \ge 1$

$$\mathbf{x}_i \text{ negative}(y_i = -1): \quad \mathbf{x}_i \cdot \mathbf{w} + b \le -1$$

For support vectors, $\mathbf{x}_i \cdot \mathbf{w} + b = \pm 1$

Distance between point $|\mathbf{x}_i \cdot \mathbf{w} + b|$ and hyperplane: $|\mathbf{w}|$

Therefore, the margin is $2/||\mathbf{w}||$

C. Burges, <u>A Tutorial on Support Vector Machines for Pattern Recognition</u>, Data Mining and Knowledge Discovery, 1998

Finding the maximum margin hyperplane

- 1. Maximize margin $2 / ||\mathbf{w}||$
- 2. Correctly classify all training data:

$$\mathbf{x}_i$$
 positive $(y_i = 1)$: $\mathbf{x}_i \cdot \mathbf{w} + b \ge 1$

$$\mathbf{x}_i$$
 negative $(y_i = -1)$: $\mathbf{x}_i \cdot \mathbf{w} + b \le -1$

- Quadratic optimization problem:
- $\min_{\mathbf{w},b} \frac{1}{2} \|\mathbf{w}\|^2 \quad \text{subject to} \quad y_i(\mathbf{w} \cdot \mathbf{x}_i + b) \ge 1$

C. Burges, <u>A Tutorial on Support Vector Machines for Pattern Recognition</u>, Data Mining and Knowledge Discovery, 1998

SVM parameter learning

margin

• Separable data:

$$\min_{\mathbf{w},b} \frac{1}{2} \|\mathbf{w}\|^2 \quad \text{subject to} \quad y_i(\mathbf{w} \cdot \mathbf{x}_i + b) \ge 1$$

$$\text{Maximize} \qquad \text{Classify training data correctly}$$

Non-separable data:

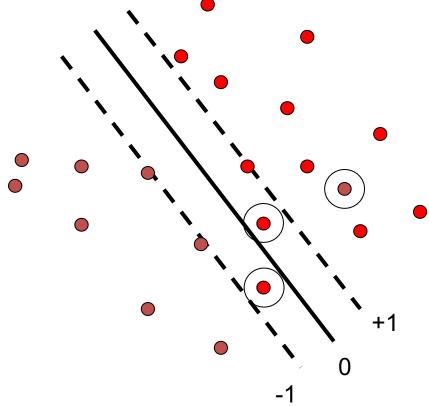
$$\min_{\mathbf{w},b} \quad \frac{1}{2} \|\mathbf{w}\|^2 + C \sum_{i=1}^n \max(0, 1 - y_i(\mathbf{w} \cdot \mathbf{x}_i + b))$$

$$\text{Maximize margin} \qquad \text{Minimize classification mistakes}$$

SVM parameter learning

$$\min_{\mathbf{w},b} \frac{1}{2} \|\mathbf{w}\|^2 + C \sum_{i=1}^n \max(0,1-y_i(\mathbf{w} \cdot \mathbf{x}_i + b))$$

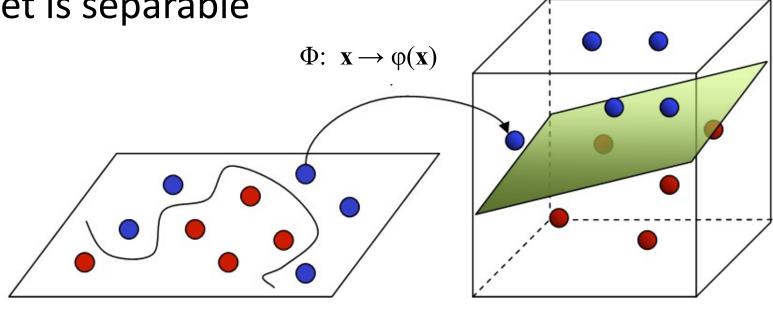




Demo: http://cs.stanford.edu/people/karpathy/svmjs/demo

Nonlinear SVMs

 General idea: the original input space can always be mapped to some higherdimensional feature space where the training set is separable



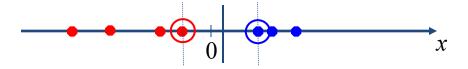
Input Space

Feature Space

Image source

Nonlinear SVMs

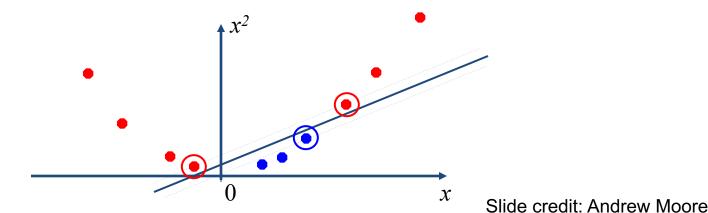
Linearly separable dataset in 1D:



Non-separable dataset in 1D:



• We can map the data to a higher-dimensional space:



The kernel trick

 General idea: the original input space can always be mapped to some higher-dimensional feature space where the training set is separable

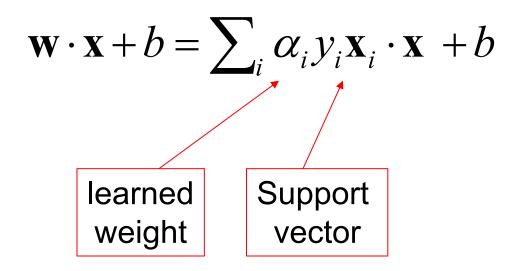
• The kernel trick: instead of explicitly computing the lifting transformation $\varphi(\mathbf{x})$, define a kernel function K such that

$$K(\mathbf{x}, \mathbf{y}) = \boldsymbol{\varphi}(\mathbf{x}) \cdot \boldsymbol{\varphi}(\mathbf{y})$$

 (to be valid, the kernel function must satisfy Mercer's condition)

The kernel trick

Linear SVM decision function:



The kernel trick

Linear SVM decision function:

$$\mathbf{w} \cdot \mathbf{x} + b = \sum_{i} \alpha_{i} y_{i} \mathbf{x}_{i} \cdot \mathbf{x} + b$$

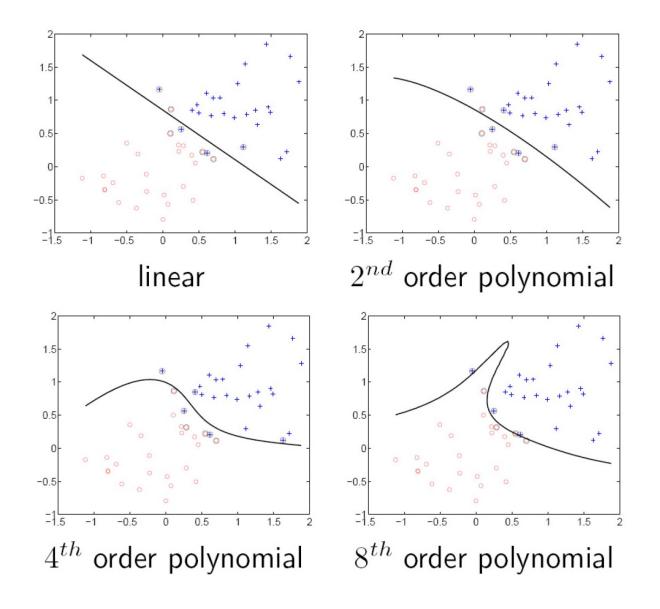
Kernel SVM decision function:

$$\sum_{i} \alpha_{i} y_{i} \varphi(\mathbf{x}_{i}) \cdot \varphi(\mathbf{x}) + b = \sum_{i} \alpha_{i} y_{i} K(\mathbf{x}_{i}, \mathbf{x}) + b$$

This gives a nonlinear decision boundary in the original feature space

C. Burges, <u>A Tutorial on Support Vector Machines for Pattern Recognition</u>, Data Mining and Knowledge Discovery, 1998

Polynomial kernel: $K(\mathbf{x}, \mathbf{y}) = (c + \mathbf{x} \cdot \mathbf{y})^d$

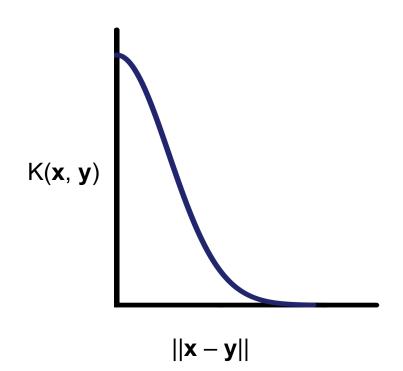


Gaussian kernel

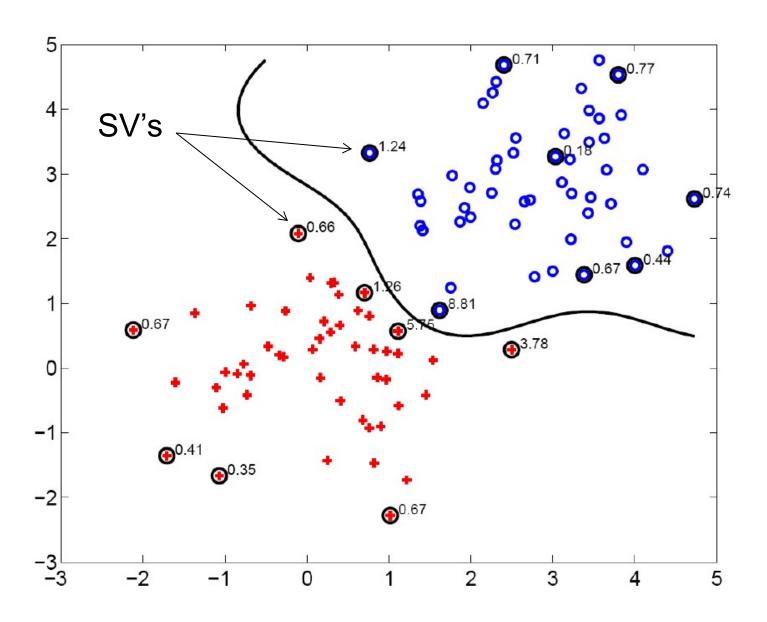
 Also known as the radial basis function (RBF) kernel:

(RBF) kernel:

$$K(\mathbf{x}, \mathbf{y}) = \exp\left(-\frac{1}{\sigma^2} \|\mathbf{x} - \mathbf{y}\|^2\right)$$



Gaussian kernel



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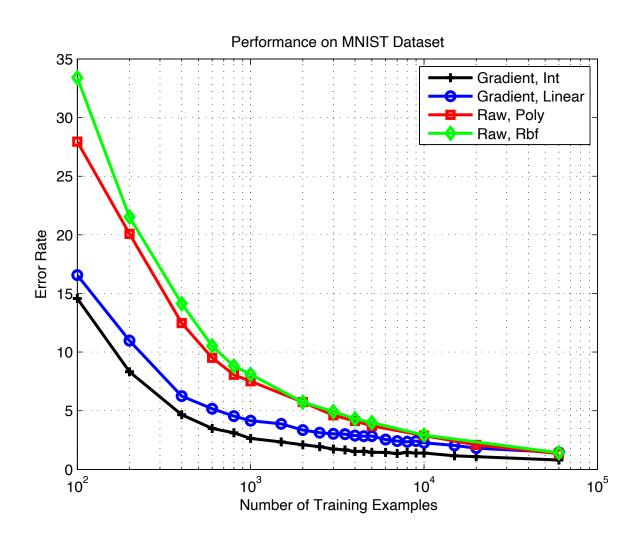
Digit Classification Case Study

The MNIST DATABASE of handwritten digits Yann LeCun & Corinna Cortes

- Has a training set of 60 K examples (6K examples for each digit), and a test set of 10K examples.
- Each digit is a 28 x 28 pixel grey level image. The digit itself occupies the central 20 x 20 pixels, and the center of mass lies at the center of the box.



Bias-Variance Trade-off



Bias and Variance

Bias-Variance Trade-off

Performance as a function of model complexity (SVM)

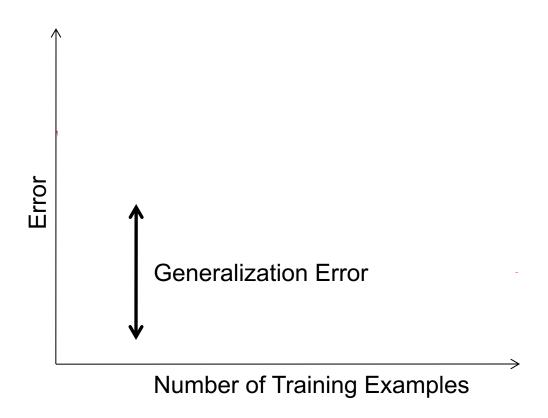
Model Selection

Bias-Variance Trade-off

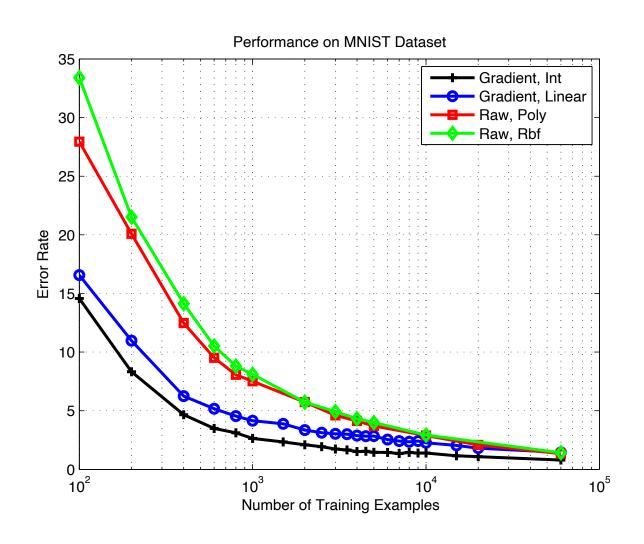
As a function of dataset size

Generalization Error

Fixed classifier



Features vs Classifiers



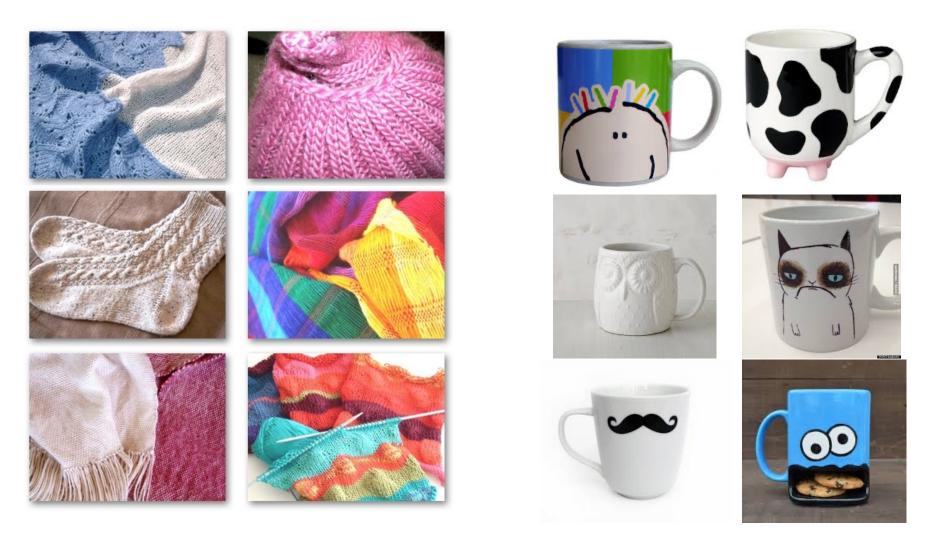
What are the right features?

Depend on what you want to know!

- Object: shape
 - Local shape info, shading, shadows, texture
- Scene: geometric layout
 - linear perspective, gradients, line segments
- Material properties: albedo, feel, hardness
 - Color, texture
- Action: motion
 - Optical flow, tracked points

Stuff vs Objects

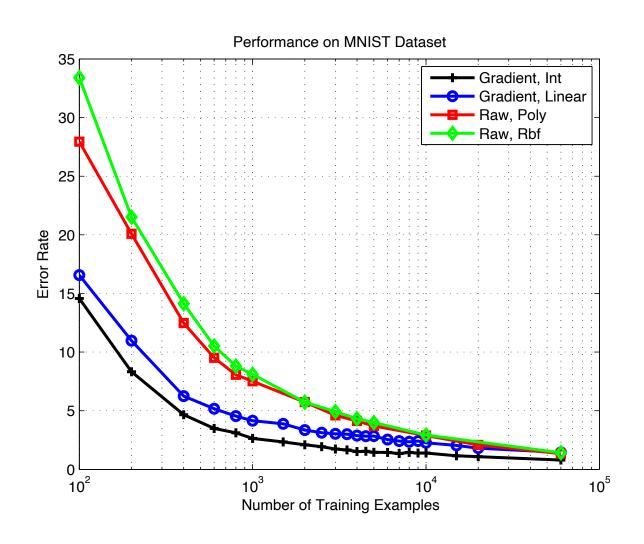
recognizing cloth fabric vs recognizing cups



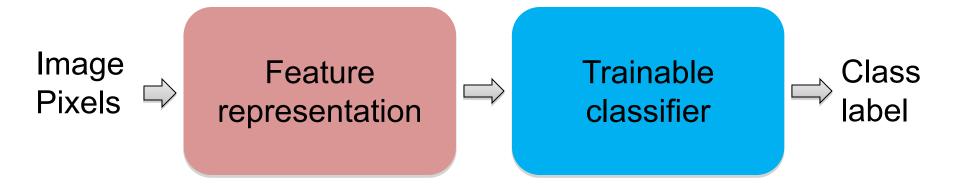
Feature Design Process

- 1. Start with a model
- 2. Look at errors on development set
- 3. Think of features that can improve performance
- 4. Develop new model, test whether new features help.
- 5. If not happy, go to step 1.
- 6. "Ablations": Simplify system, prune out features that don't help anymore in presence of other features.

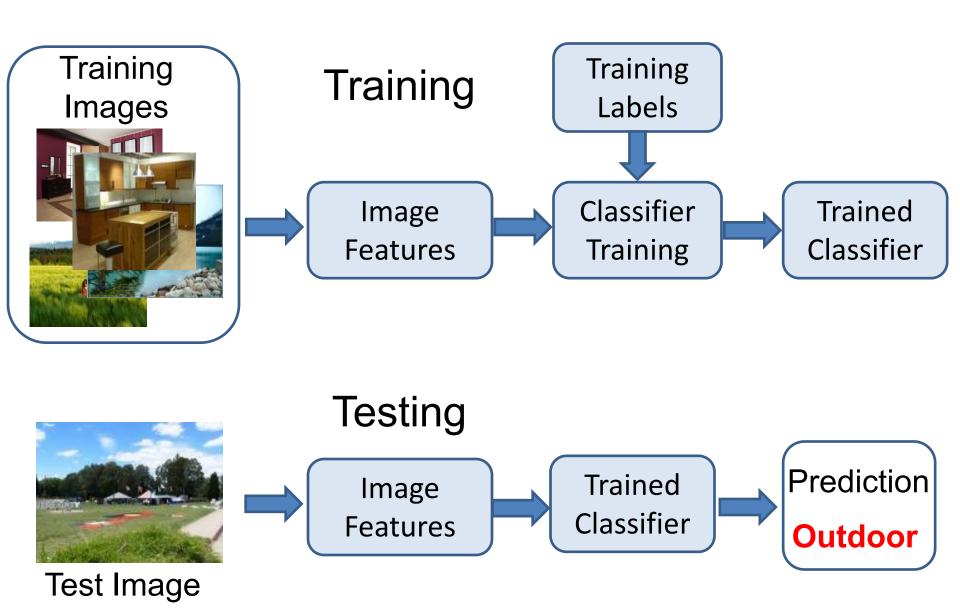
Features vs Classifiers



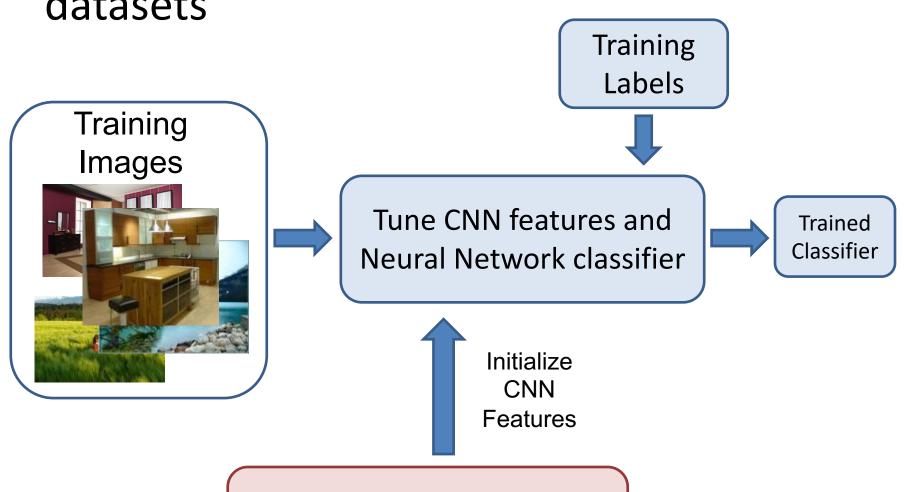
"Classic" recognition pipeline



Categorization involves features and a classifier

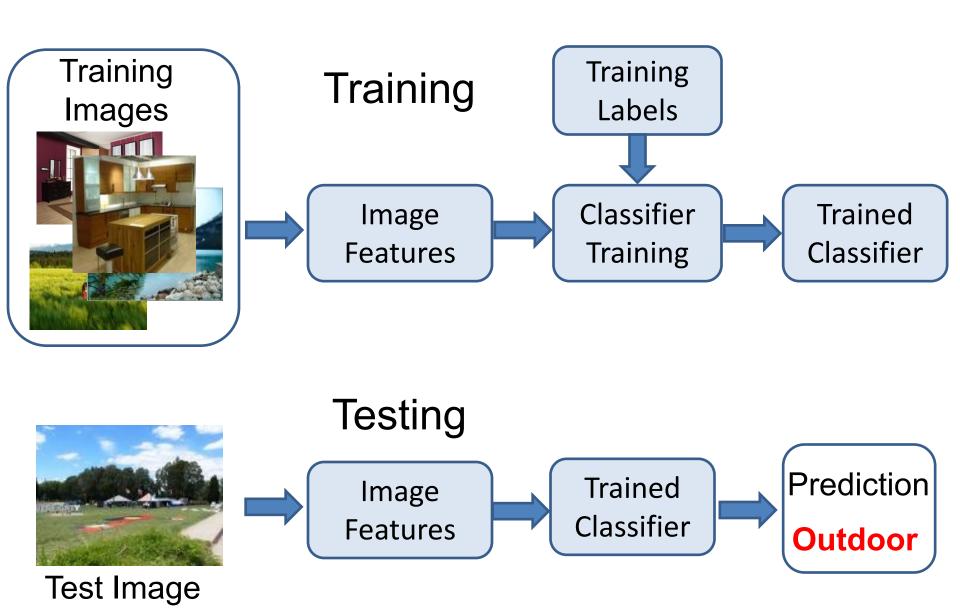


New training setup with moderate sized datasets

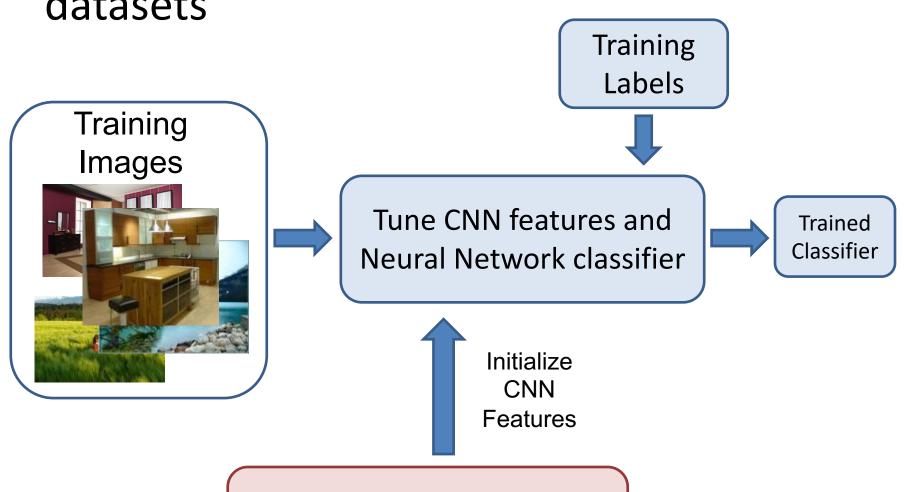


Dataset similar to task with millions of labeled examples

Categorization involves features and a classifier



New training setup with moderate sized datasets



Dataset similar to task with millions of labeled examples