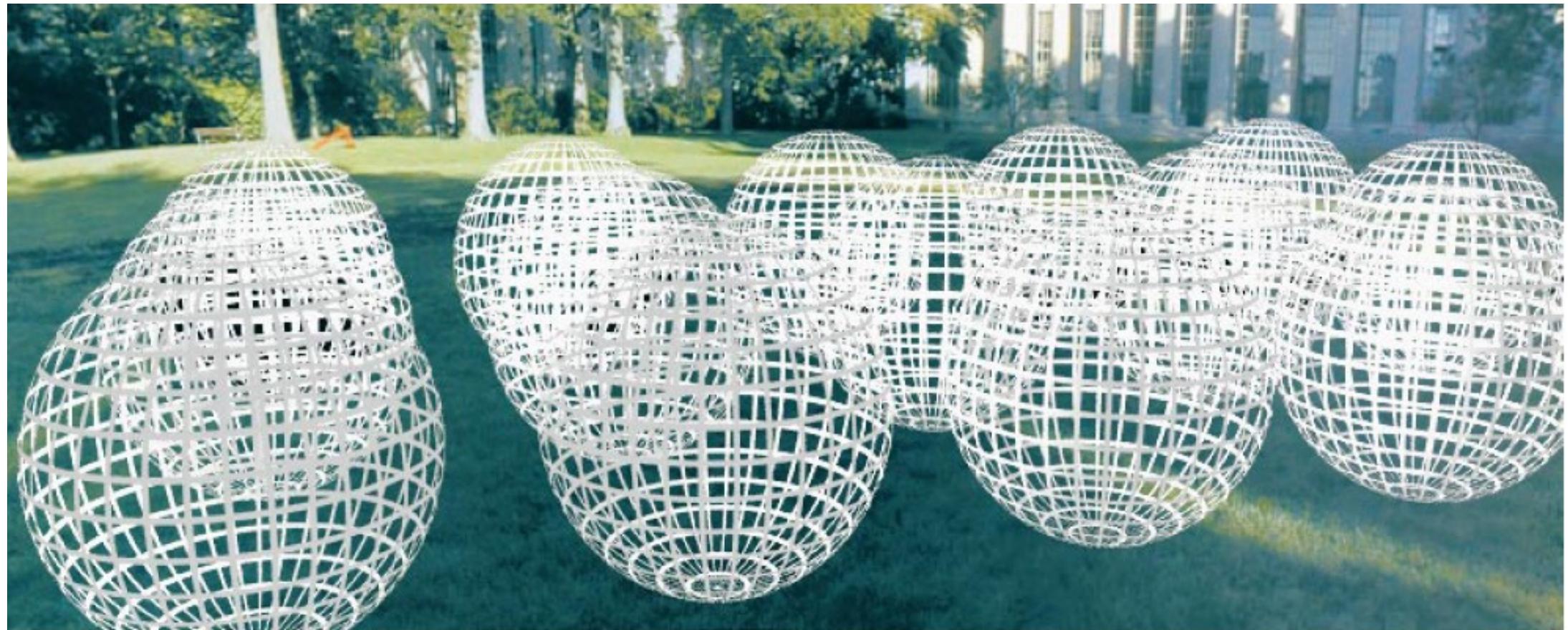


Modeling the plenoptic function



Adopted from: CS194: Intro to Comp. Vision, and Comp. Photo
Alexei Efros & Angjoo Kanazawa, UC Berkeley, Fall 2021 and Lana Lazebnik

Outline

- The plenoptic function
- Two-plane light fields
- Neural radiance fields (NeRFs)

Goal: Novel view rendering

- Given several images of the same object or scene from known viewpoints, how can we generate a rendering of the same scene from a novel viewpoint?
- Multiview stereo answer: create a textured 3D model from the images, use traditional graphics to render

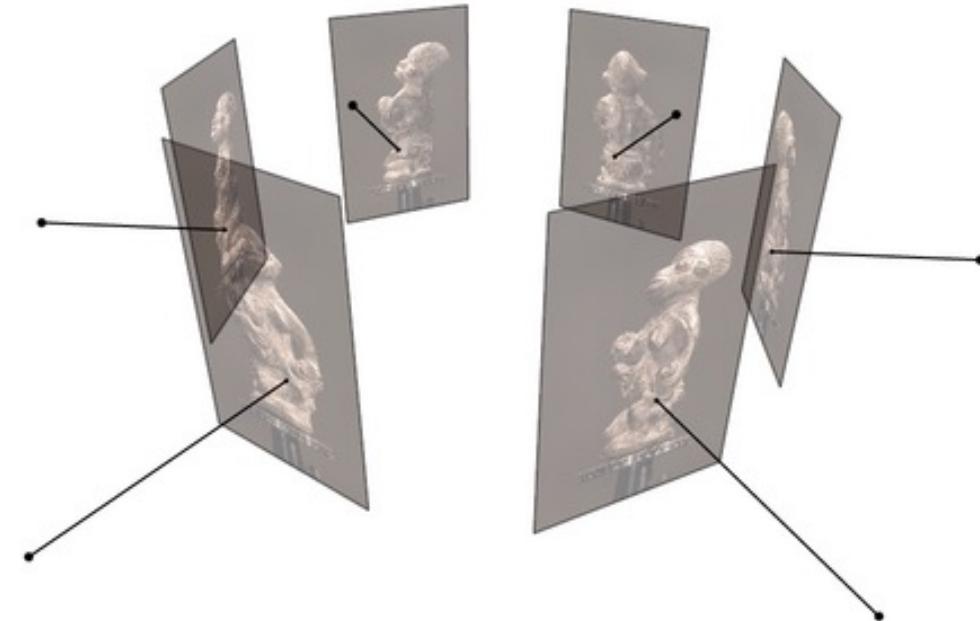
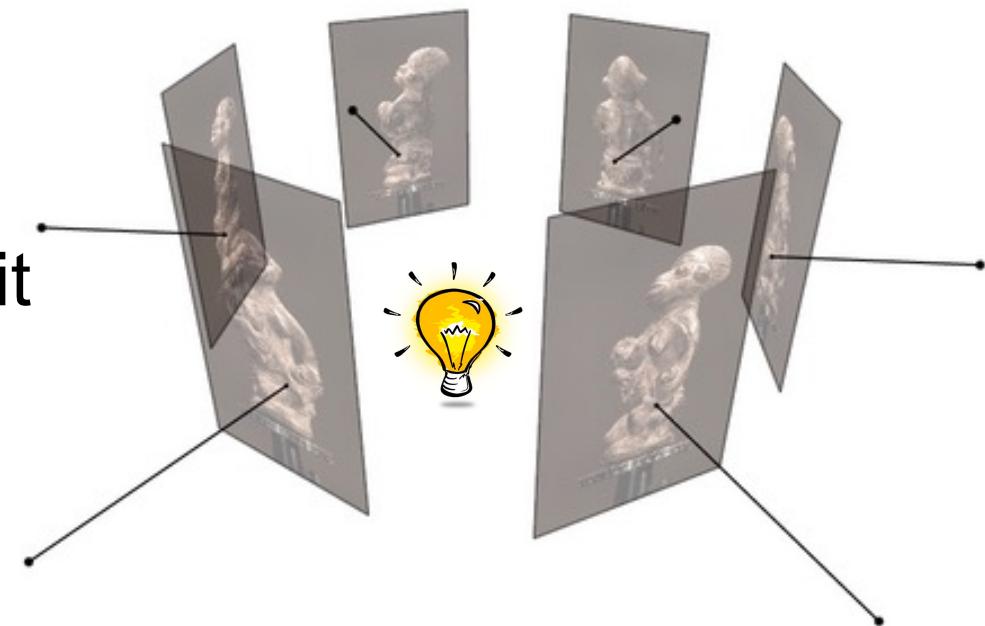


Figure source: C. Hernandez, N. Snavely

Goal: Novel view rendering

- Given several images of the same object or scene from known viewpoints, how can we generate a rendering of the same scene from a novel viewpoint?
- Multiview stereo answer: create a textured 3D model from the images, use traditional graphics to render
- Alternate answer: model the *light field* of the scene, sample new views from it



The light field, or plenoptic function



Figure by Leonard McMillan

Q: What is the set of all things that we can ever see?

A: The *plenoptic function*

The light field, or plenoptic function

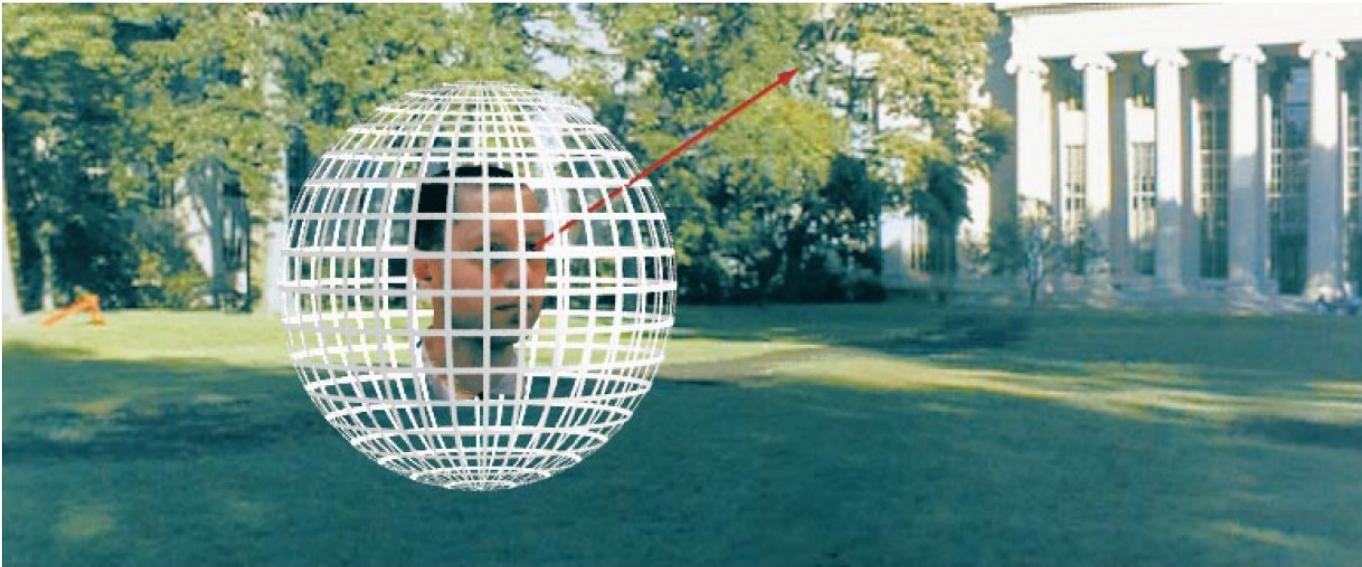


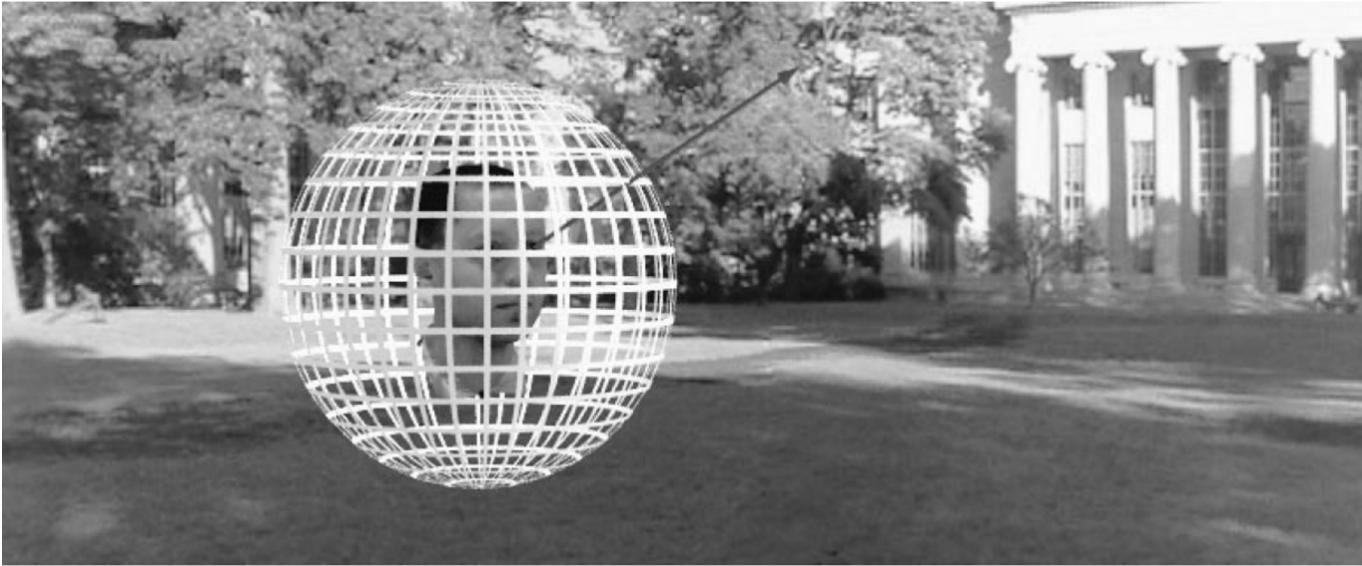
Figure by Leonard McMillan

Q: What is the set of all things that we can ever see?

A: The *plenoptic function*

Let's start with a stationary person and try to parameterize everything that they can see...

Grayscale snapshot



$$L(\theta, \phi)$$

- Intensity of light
 - Seen from a single view point
 - At a single time
 - Averaged over the wavelengths of the visible spectrum

Color snapshot

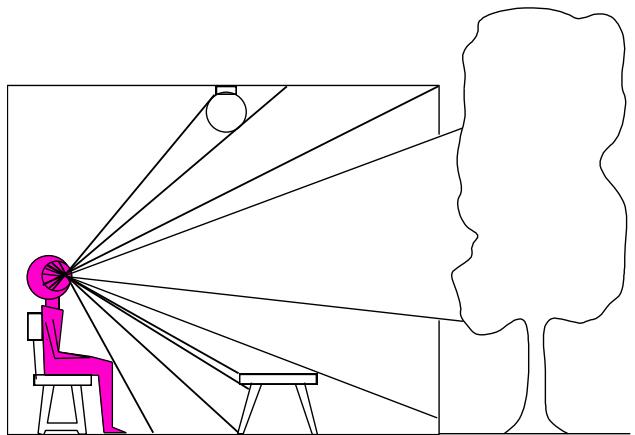


$$L(\theta, \phi, \lambda)$$

- Intensity of light
 - Seen from a single view point
 - At a single time
 - As a function of wavelength

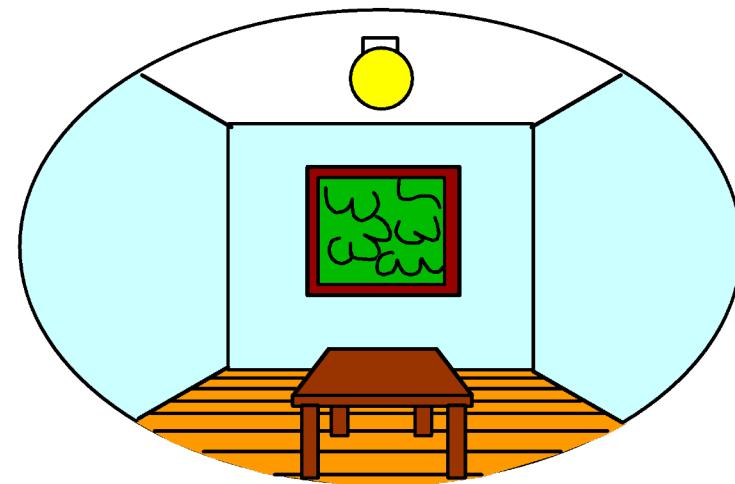
Modeling the light field

3D world



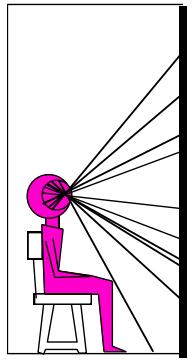
Point of observation

2D image



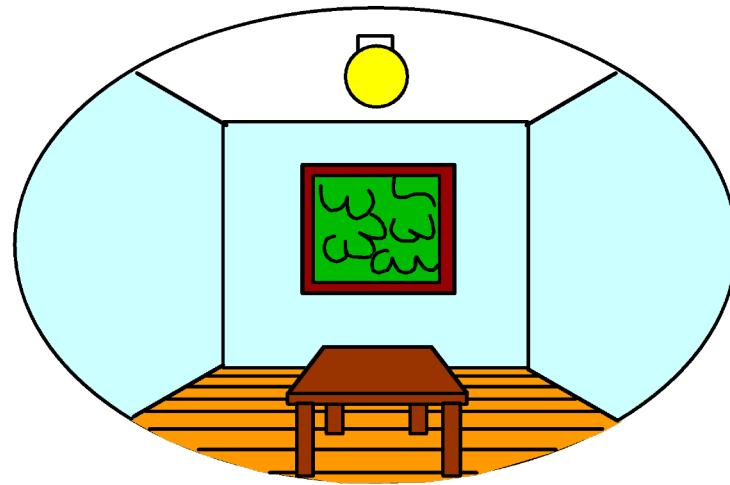
Modeling the light field

3D world

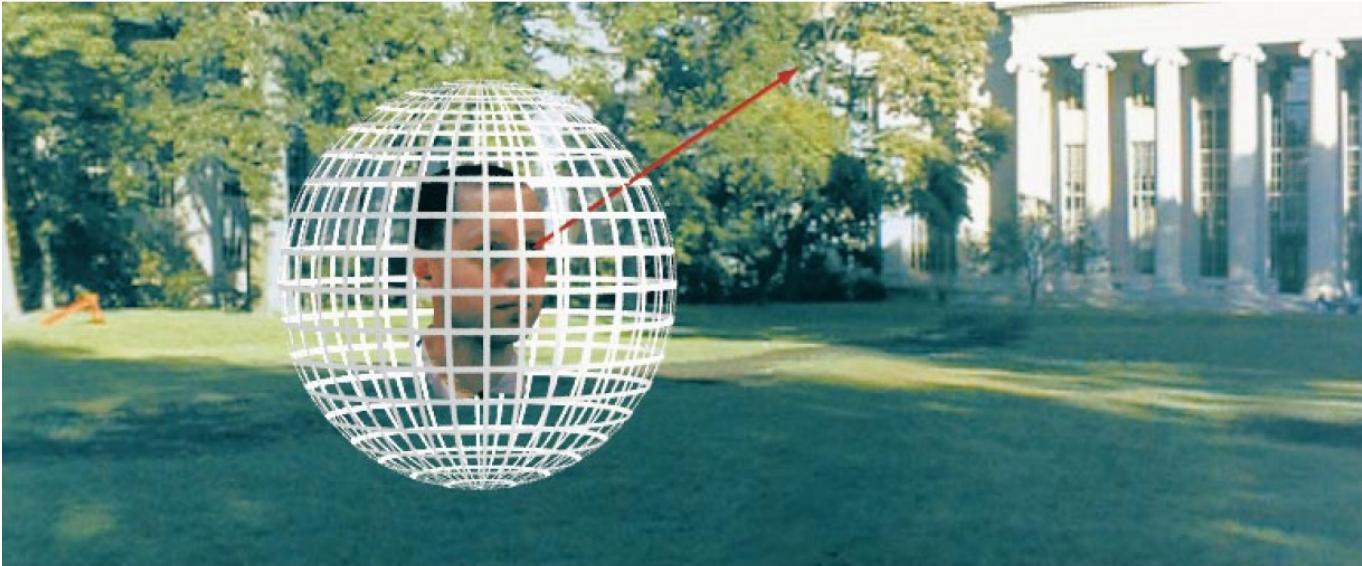


Painted
backdrop

2D image



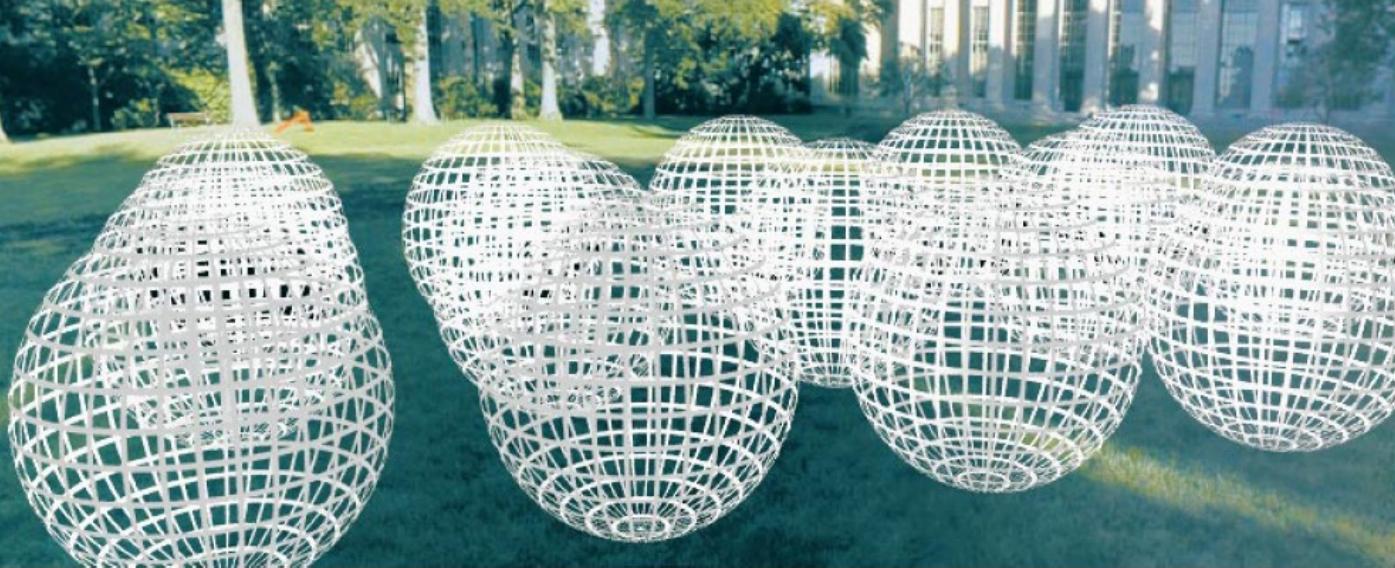
A movie



$$L(\theta, \phi, \lambda, t)$$

- Intensity of light
 - Seen from a single view point
 - Over time
 - As a function of wavelength

Holographic movie



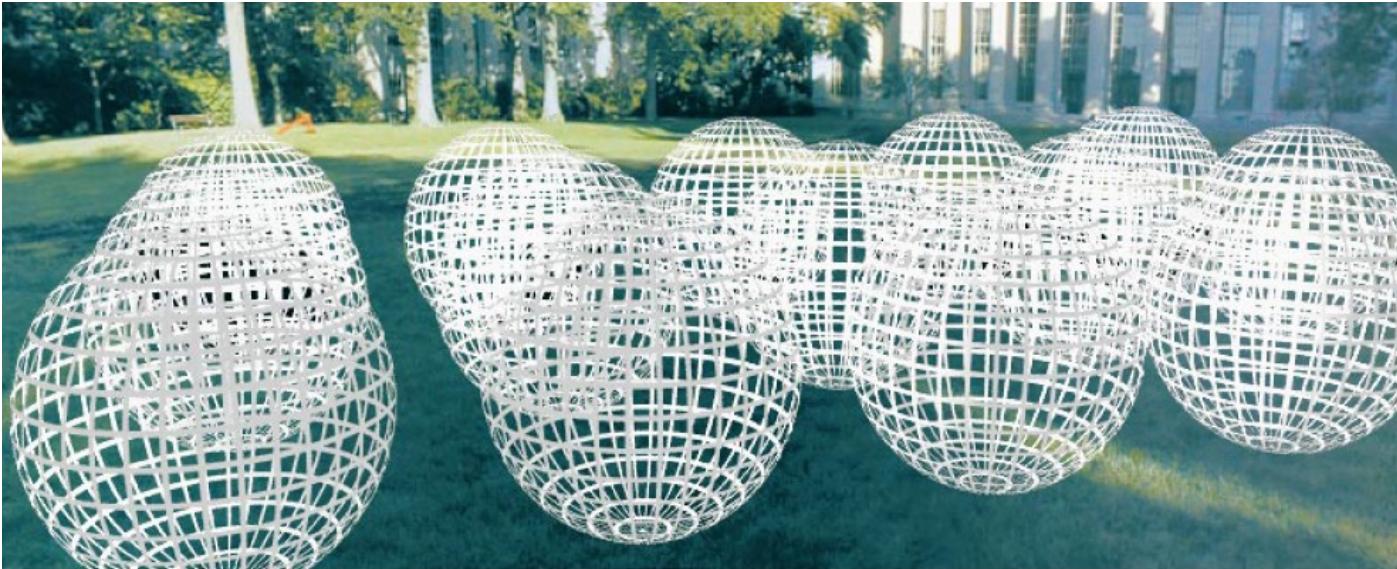
$$L(\theta, \phi, \lambda, t, x, y, z)$$

- Intensity of light
 - Seen from ANY viewpoint
 - Over time
 - As a function of wavelength

Light field modeling: Outline

- The plenoptic function
- Two-plane light fields
- Neural radiance fields (NeRFs)

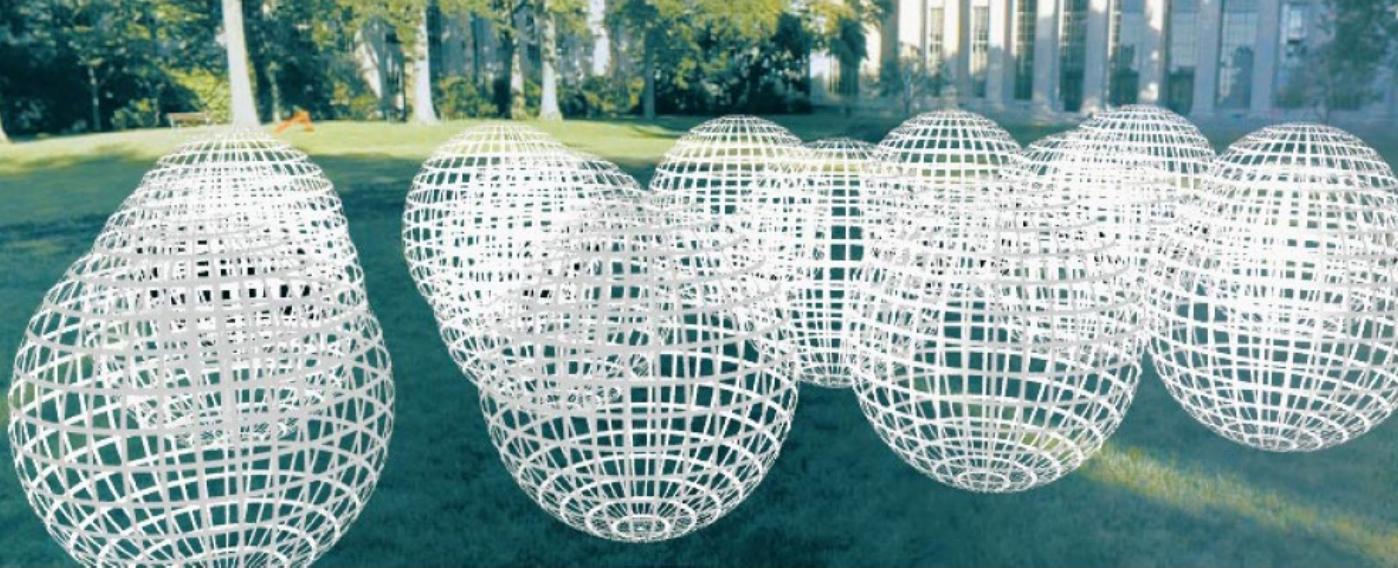
The plenoptic function



$$L(\theta, \phi, \lambda, t, x, y, z)$$

- Can reconstruct every possible view, at every moment, from every position, at every wavelength
- Contains every photograph, every movie, everything that anyone has ever seen! it completely captures our visual reality!
- Not bad for a function...

The plenoptic function: More practical version



$$L(\theta, \phi, x, y, z) = (r, g, b)$$

- Other simplifications/variants are possible, as we will see

Modeling the plenoptic function

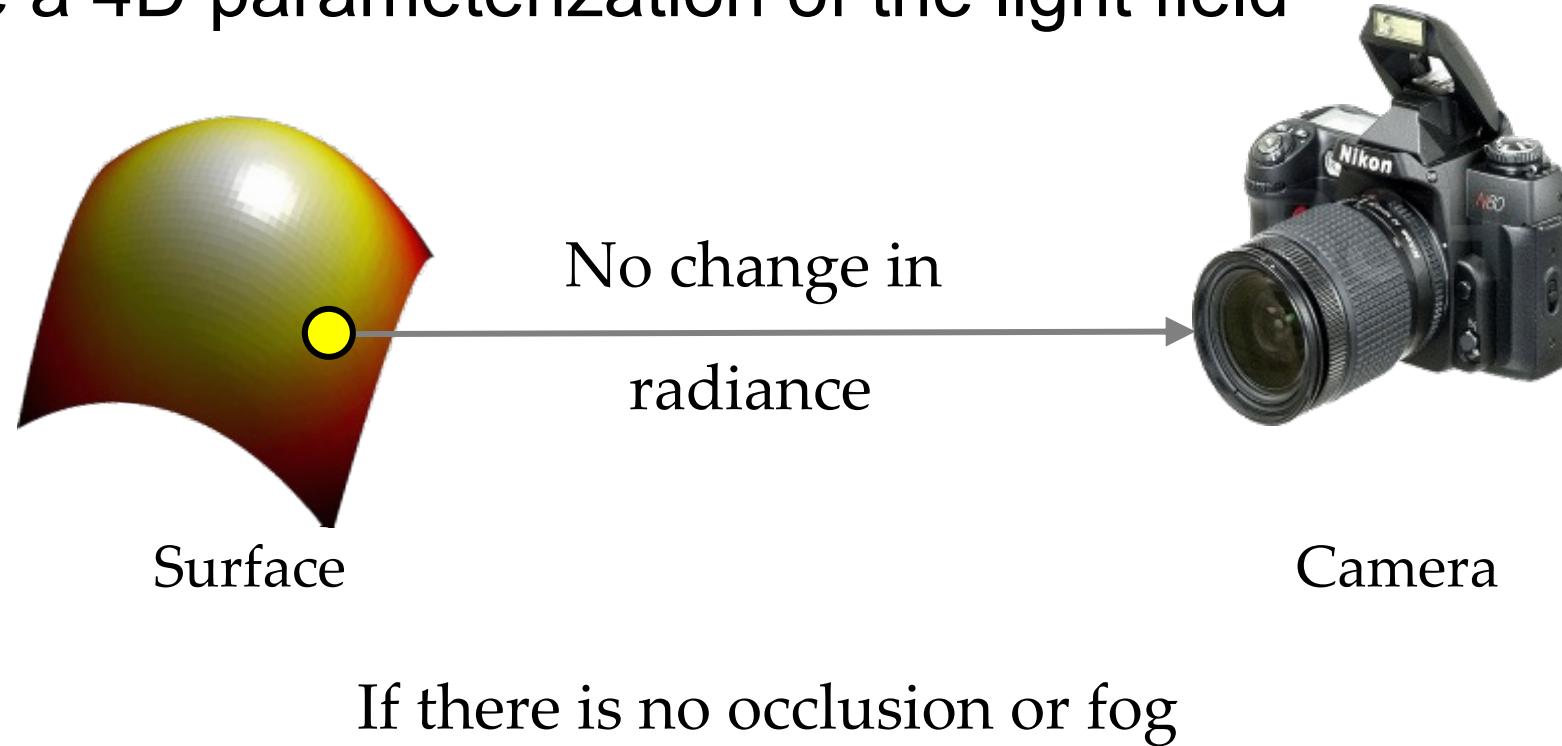
- Capture
 - Create a special camera setup to capture a slice of the plenoptic function
 - Combine captured rays for novel view synthesis, defocus, and other effects
- Optimization
 - Given a set of multi-view calibrated images, optimize a parametric representation of the plenoptic function of the scene

Outline

- The plenoptic function
- Two-plane light fields

Two-plane light fields

- Key idea: assuming light is constant along rays, we can create a 4D parameterization of the light field



S. Gortler, R. Grzeszczuk, S. Szeliski, M. Cohen. [The Lumigraph](#). Proceedings of the 23rd Annual Conference on Computer Graphics and Interactive Techniques, 1996

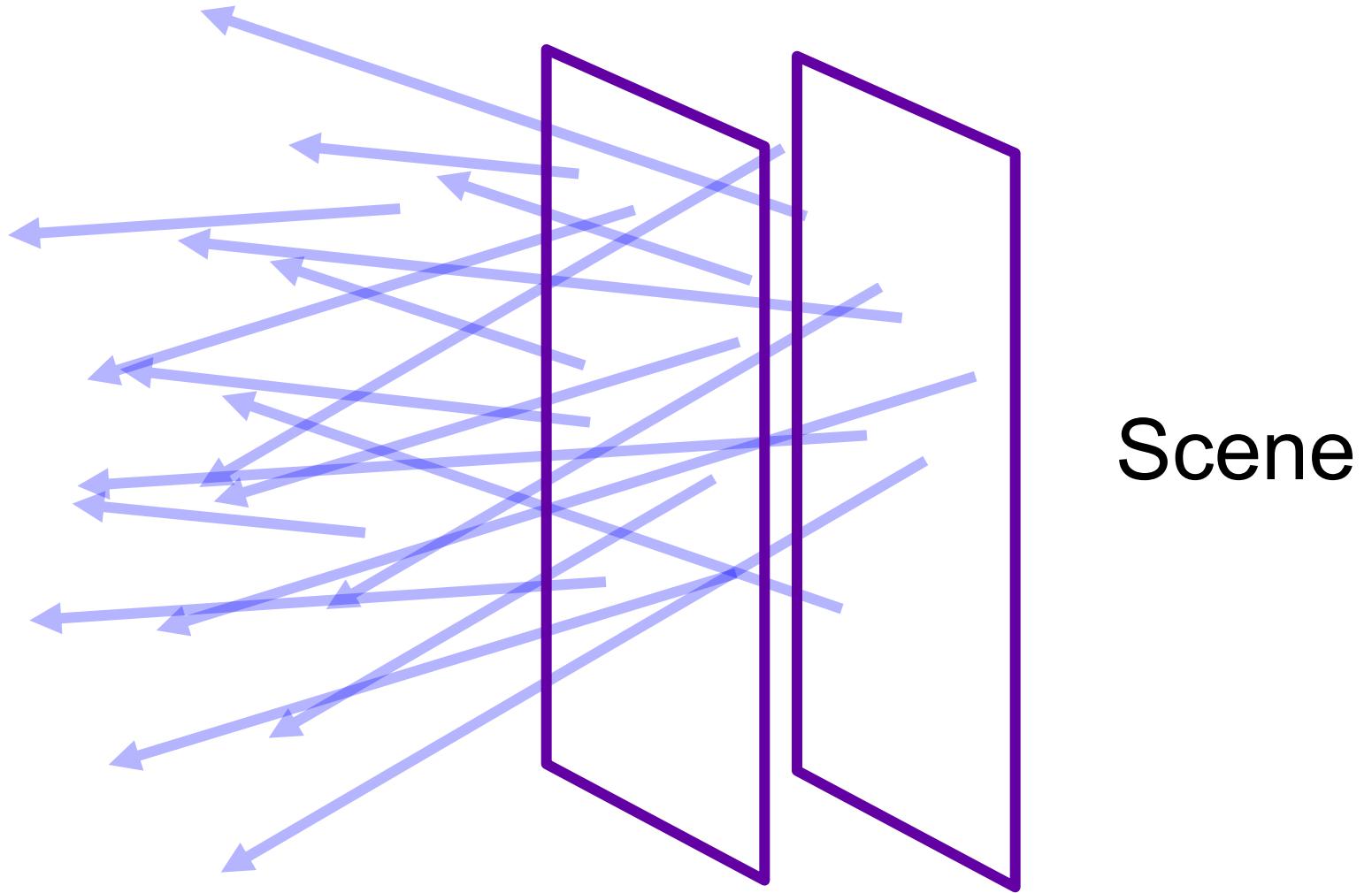
M. Levoy and P. Hanrahan. [Light field rendering](#). SIGGRAPH 1996

Two-plane light fields

- Two-plane parameterization:

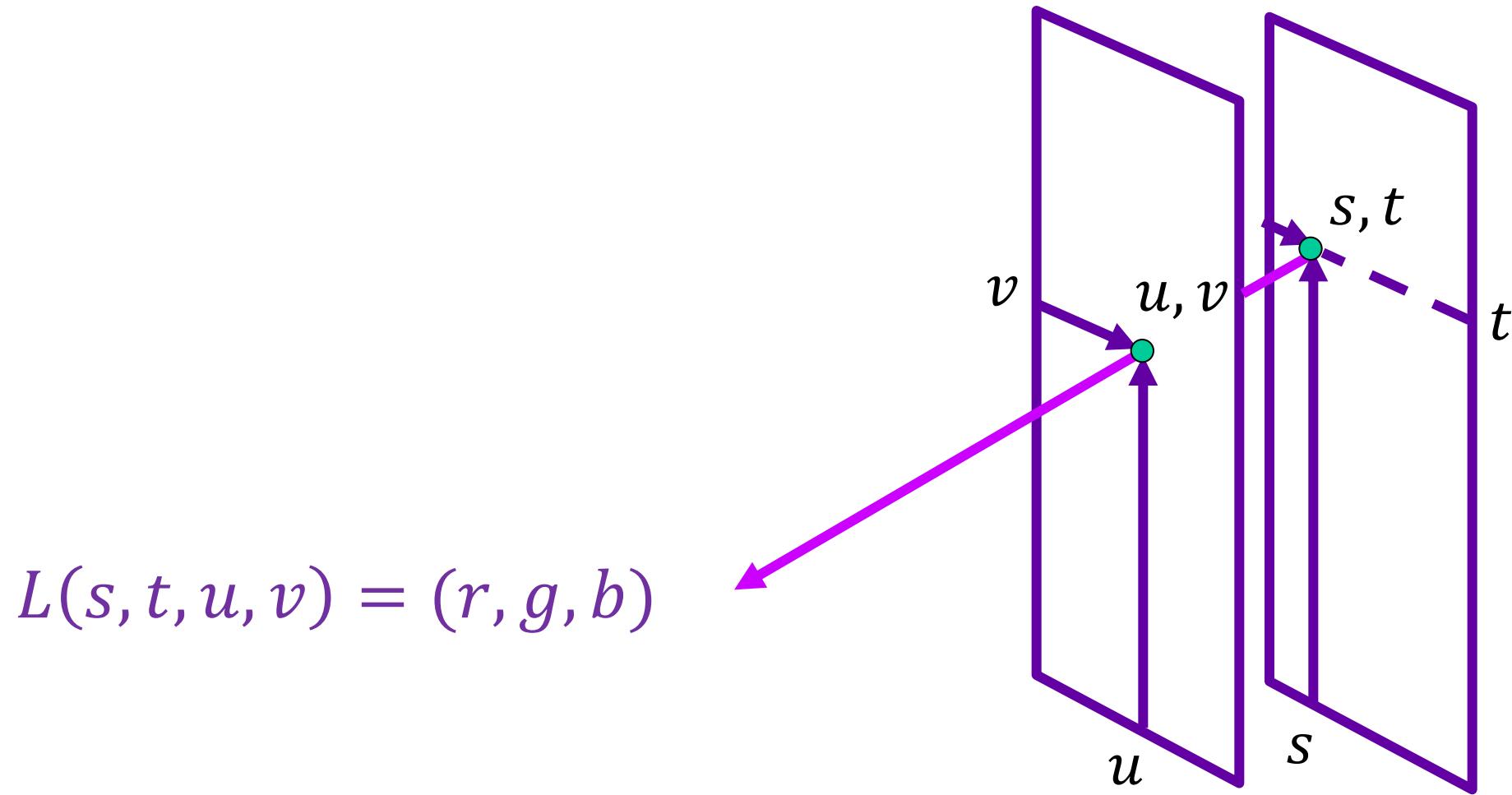


Observer



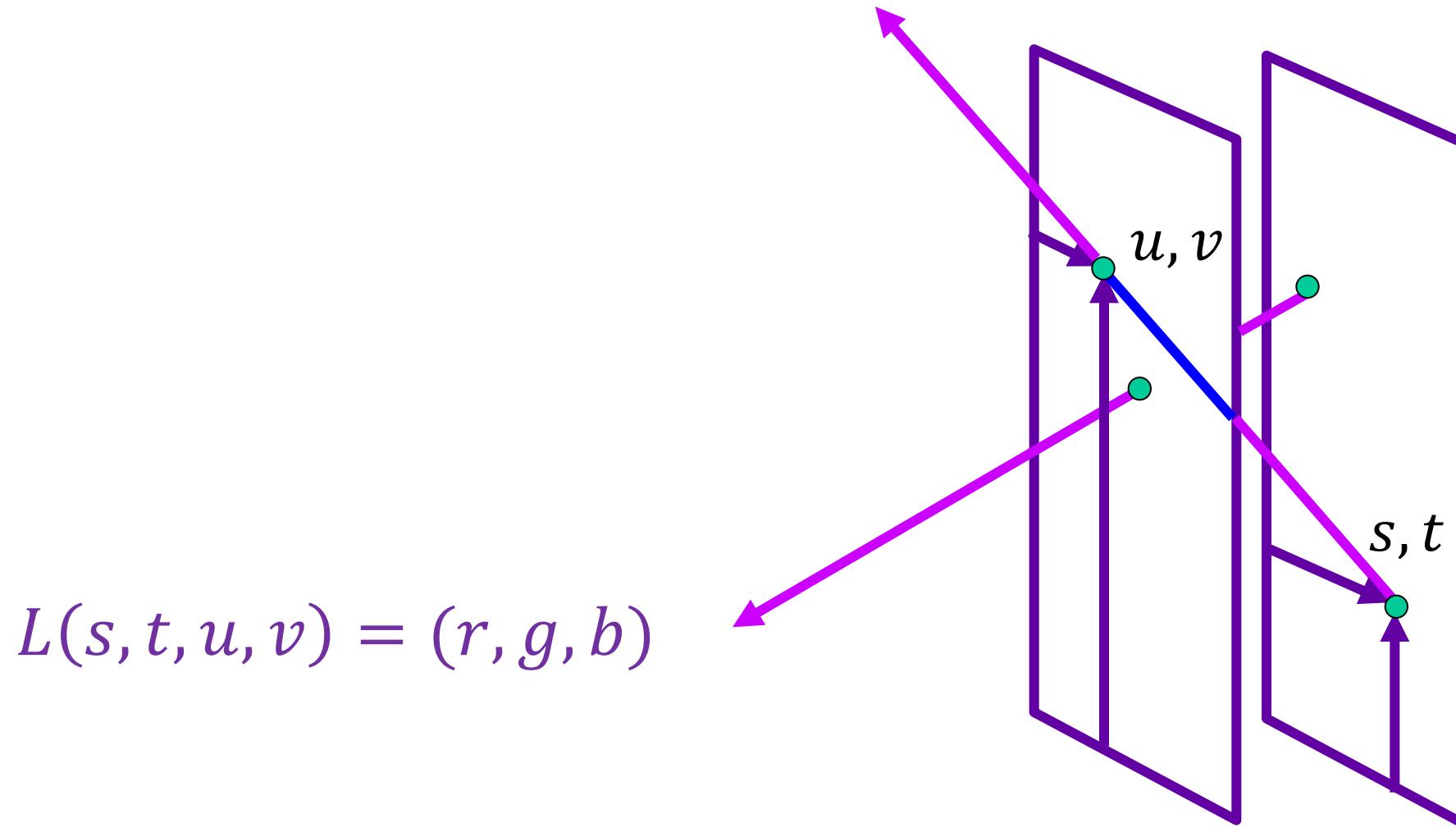
Two-plane light fields

- Two-plane parameterization:



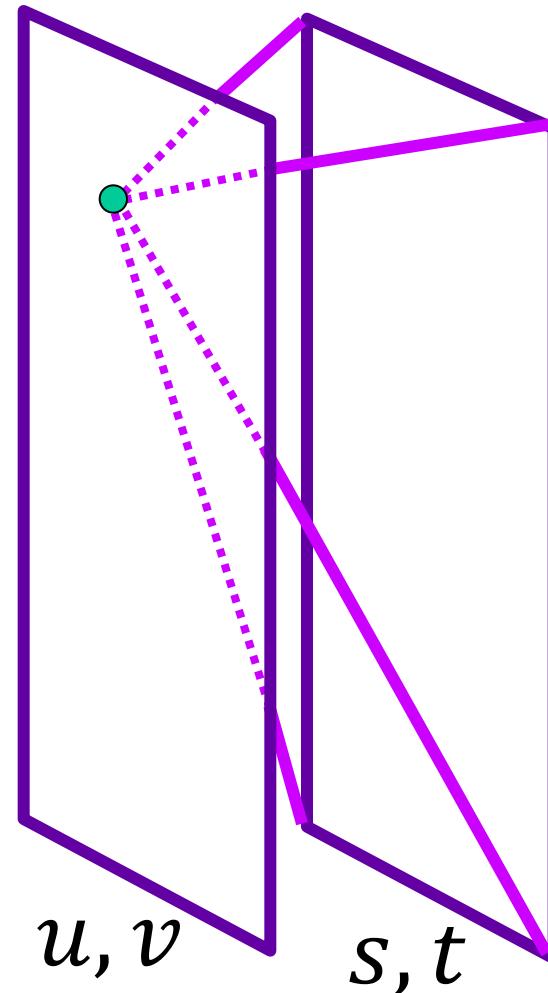
Two-plane light fields

- Two-plane parameterization:



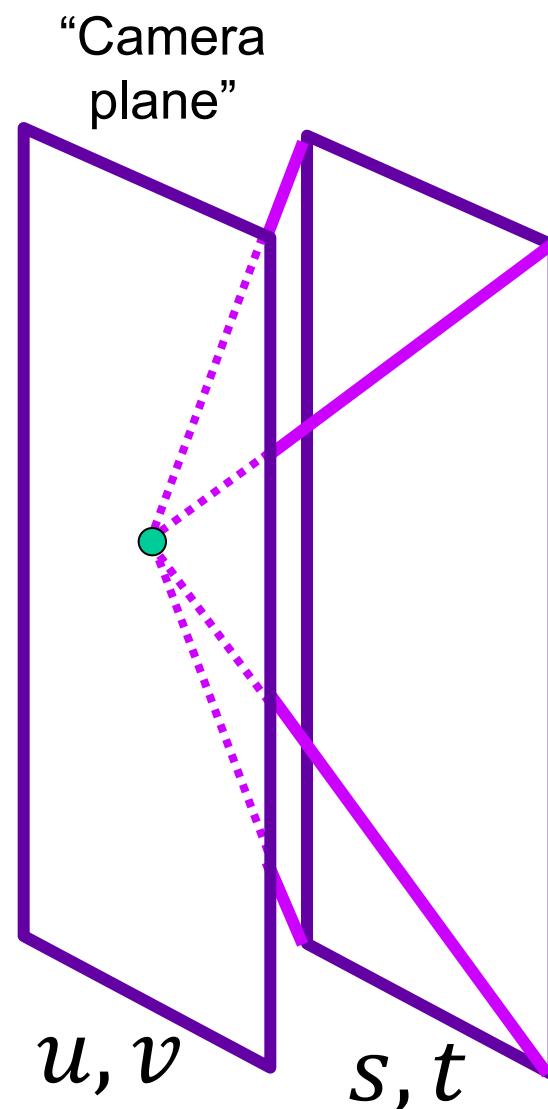
Two-plane light fields

- What do we get if we hold u, v constant and let s, t vary?
- An image!



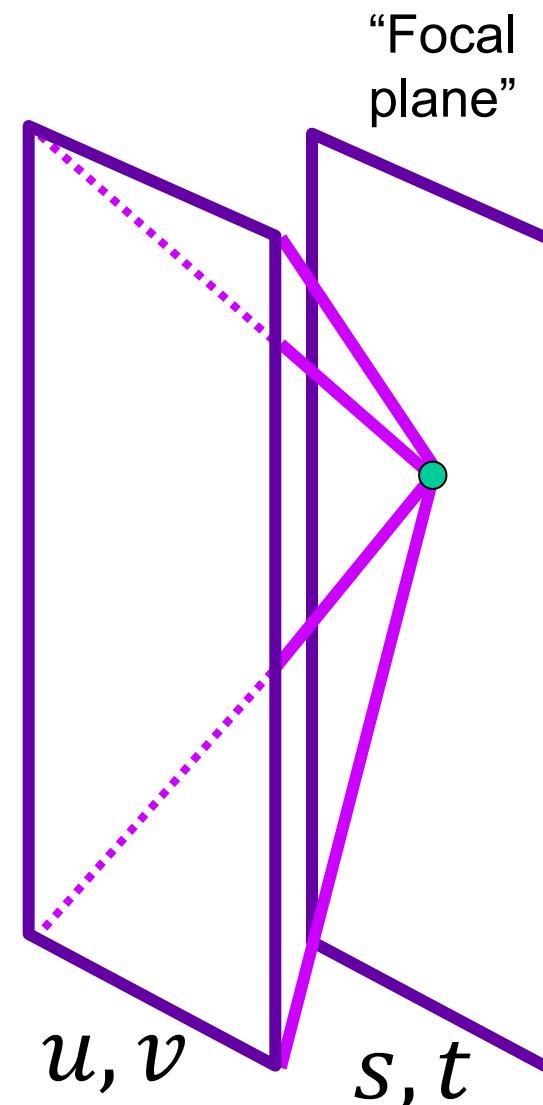
Two-plane light fields

- What do we get if we hold u, v constant and let s, t vary?
- An image!



Two-plane light fields

- What do we get if we hold s, t constant and let u, v vary?
- A set of rays leaving a point in the scene in a bundle of directions towards the image plane



Light field visualization

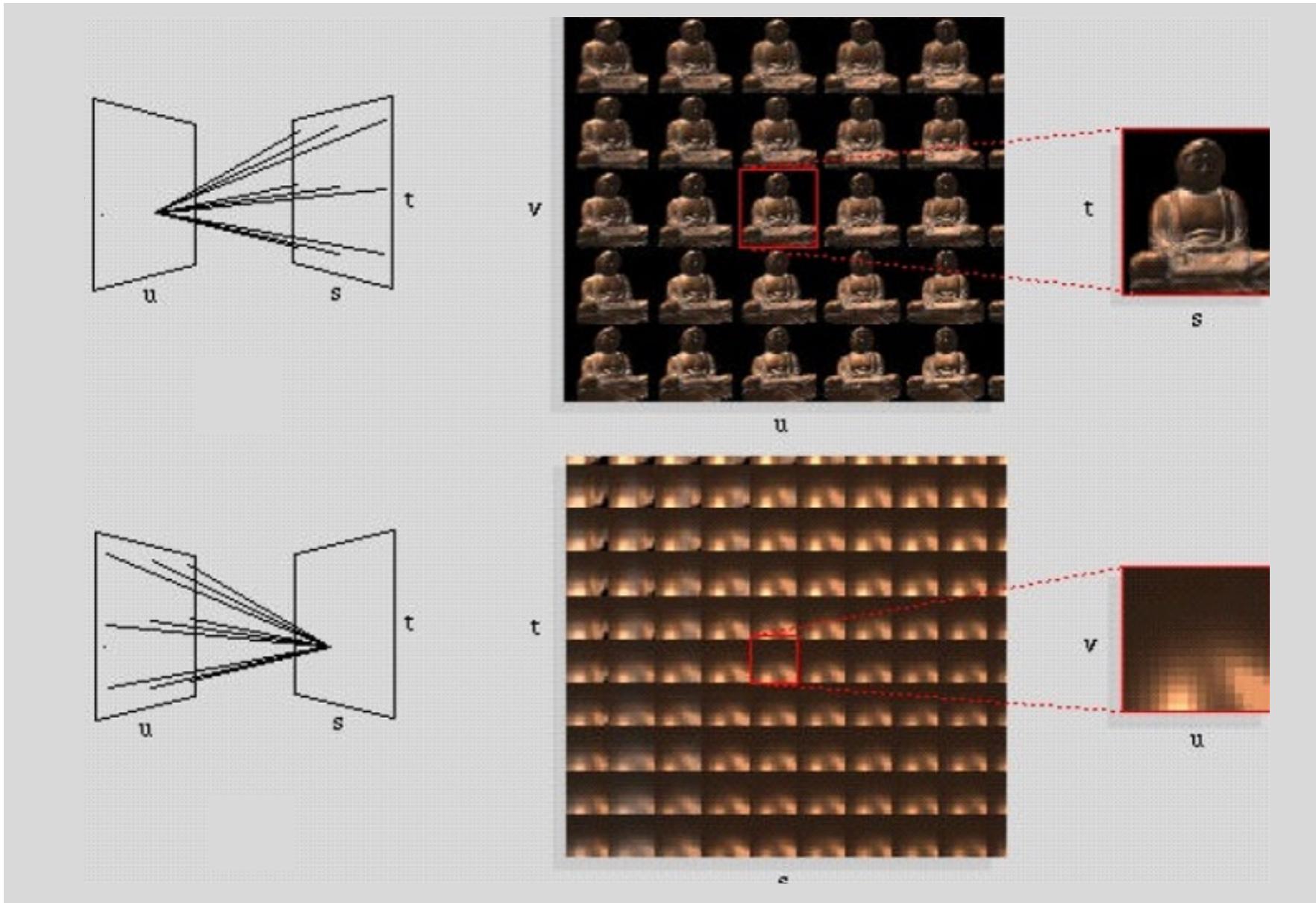
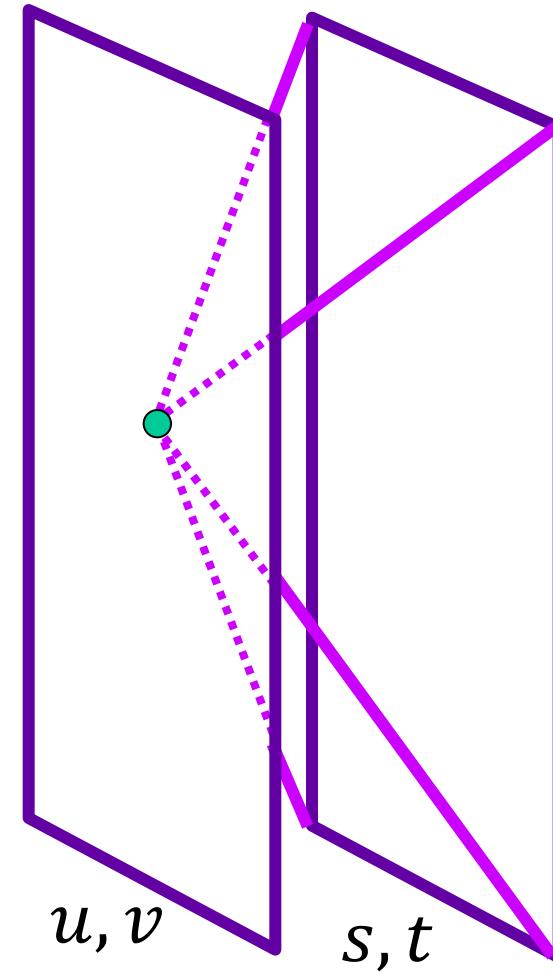
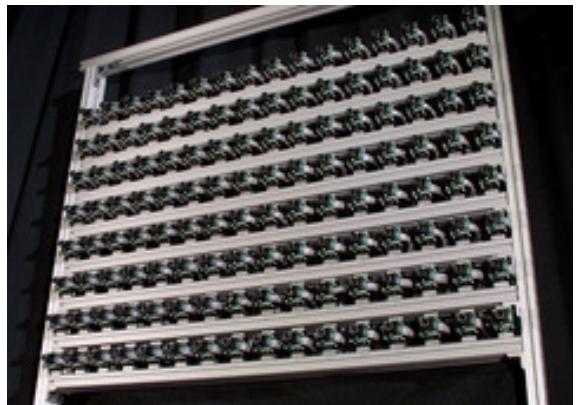


Figure source: M. Levoy
and P. Hanrahan

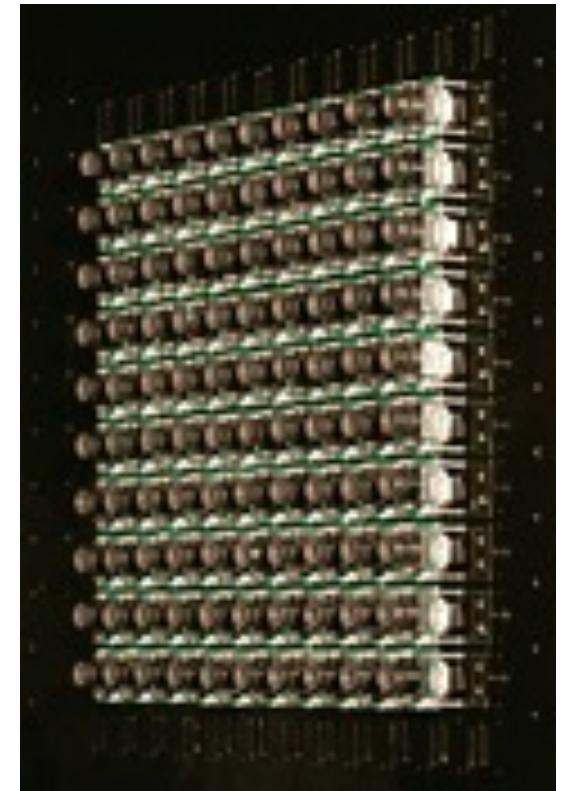
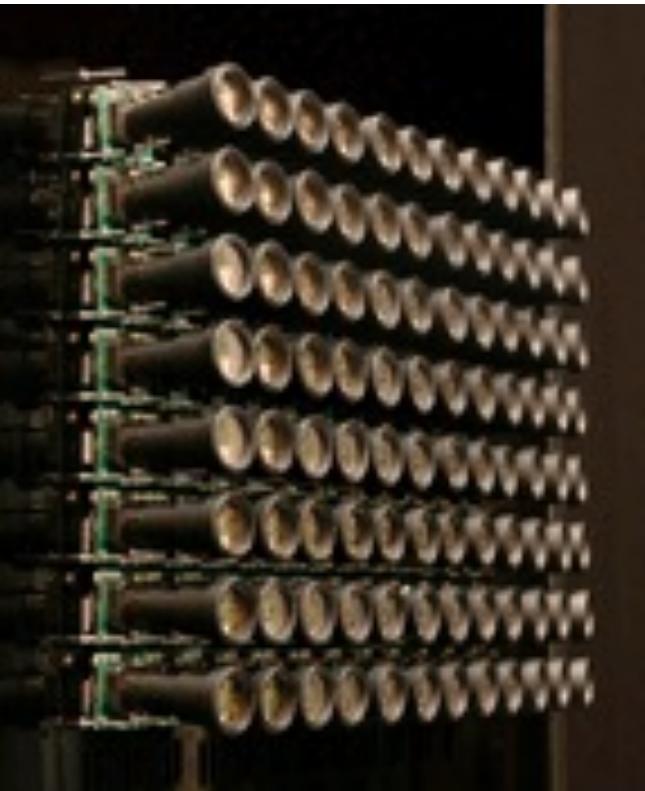
Light field capture

- Idea 1: move camera carefully over u, v plane



Stanford multi-camera array

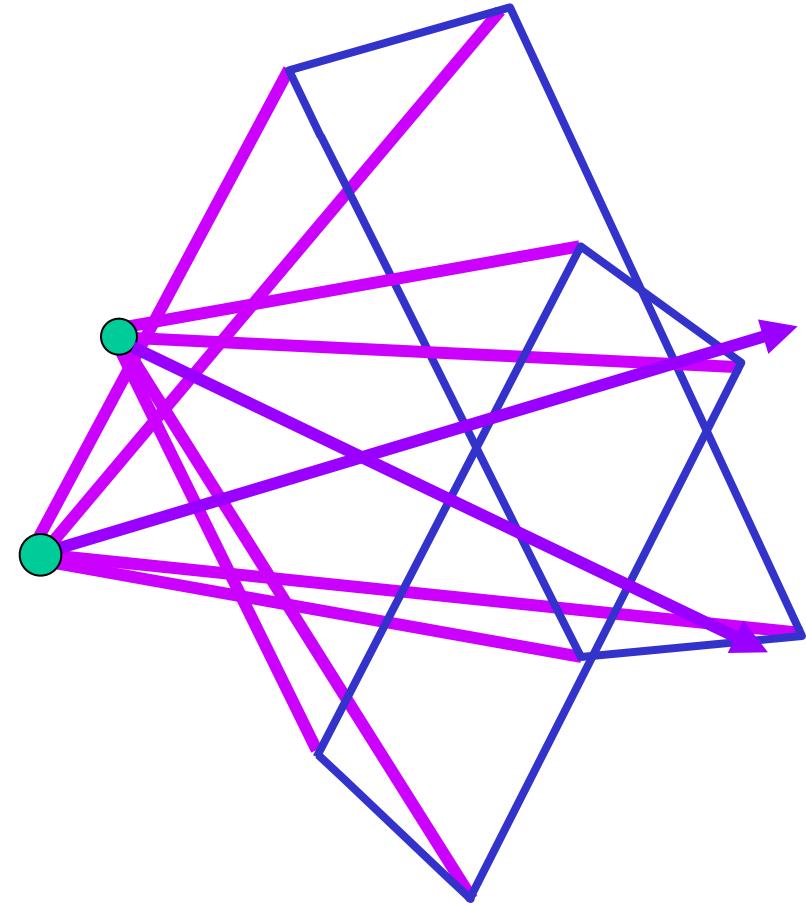
- 640×480 pixels \times
 30 fps \times 128 cameras
- Synchronized timing
- Continuous streaming
- Flexible arrangement



<http://graphics.stanford.edu/projects/array/>

Light field capture

- Idea 2: move camera anywhere,
use rebinning or resampling



Light field capture

- Idea 2: move camera anywhere, use rebinning or resampling

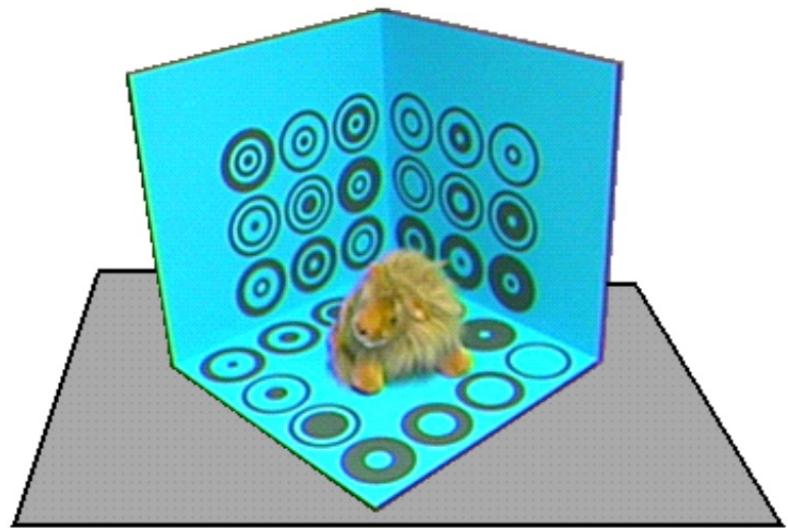
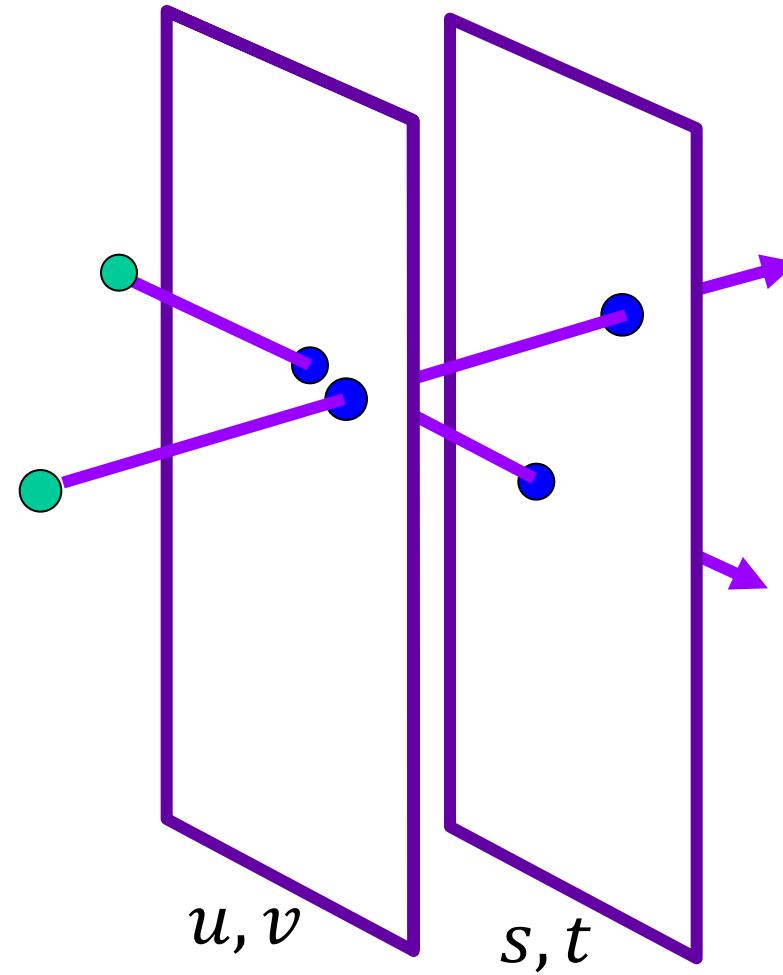
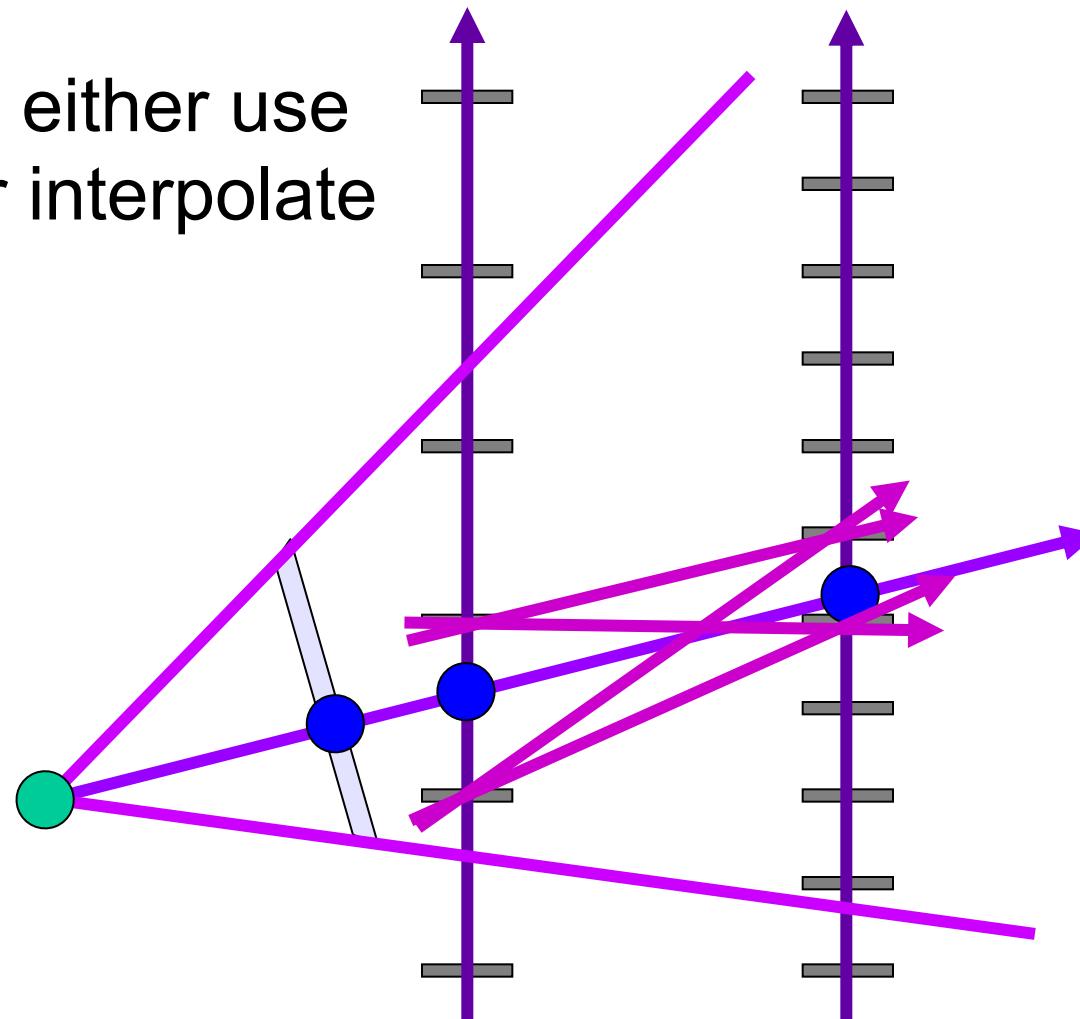


Figure 10: The capture stage



Novel view synthesis

- For each output pixel,
determine s, t, u, v , then either use
closest discrete RGB or interpolate
several nearby values



Outline

- The plenoptic function
- Two-plane light fields

Outline

- The plenoptic function
- Two-plane light fields
- Neural radiance fields (NeRFs)

NeRF: Representing Scenes as Neural Radiance Fields for View Synthesis

ECCV 2020 (best paper honorable mention)

Ben Mildenhall*



UC Berkeley



Pratul Srinivasan*



UC Berkeley



Matt Tancik*



UC Berkeley



Jon Barron



Google Research



Ravi Ramamoorthi



UC San Diego

Ren Ng



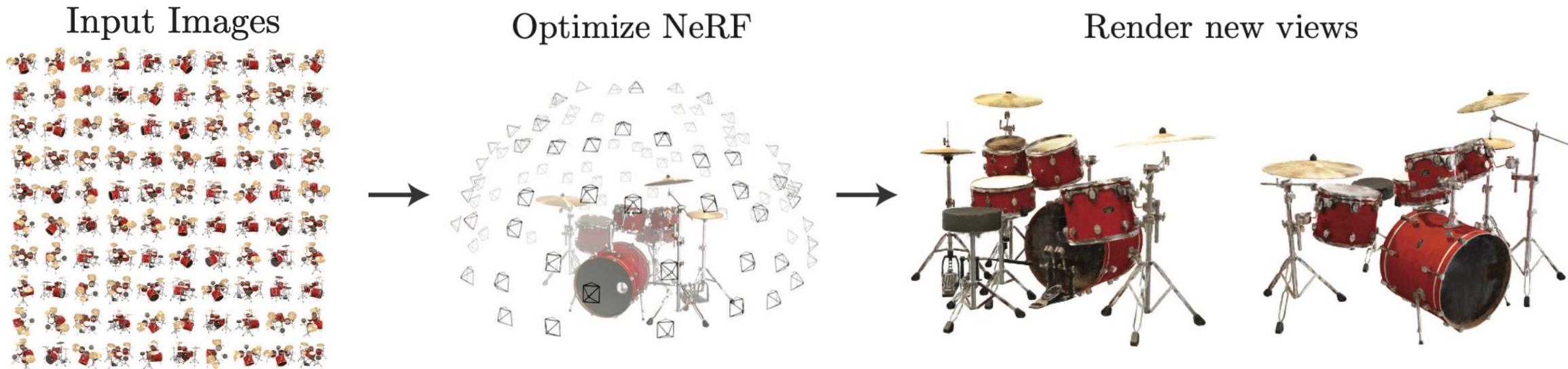
UC Berkeley



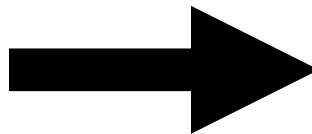
<https://www.matthewtancik.com/nerf>

NeRF: Representing Scenes as Neural Radiance Fields for View Synthesis

ECCV 2020 (best paper honorable mention)



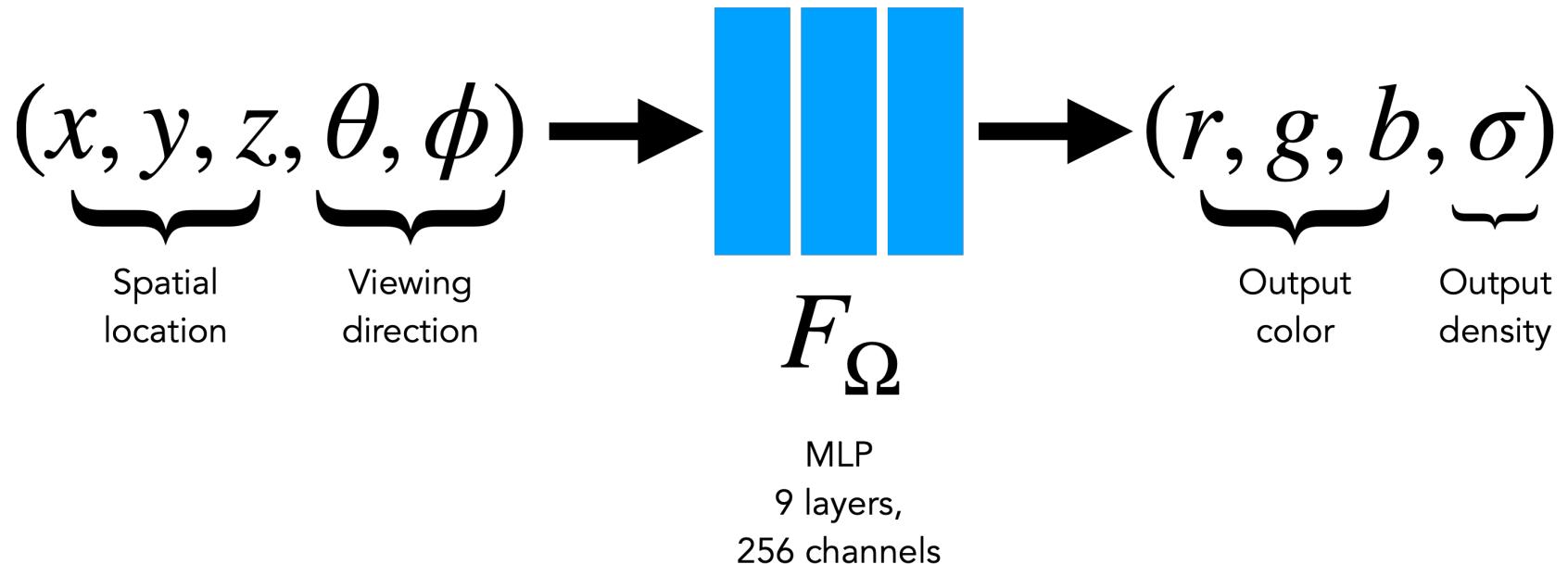
Train a neural network to represent the plenoptic function



Inputs: sparsely sampled images of scene

Outputs: *new* views of same scene

Neural radiance field

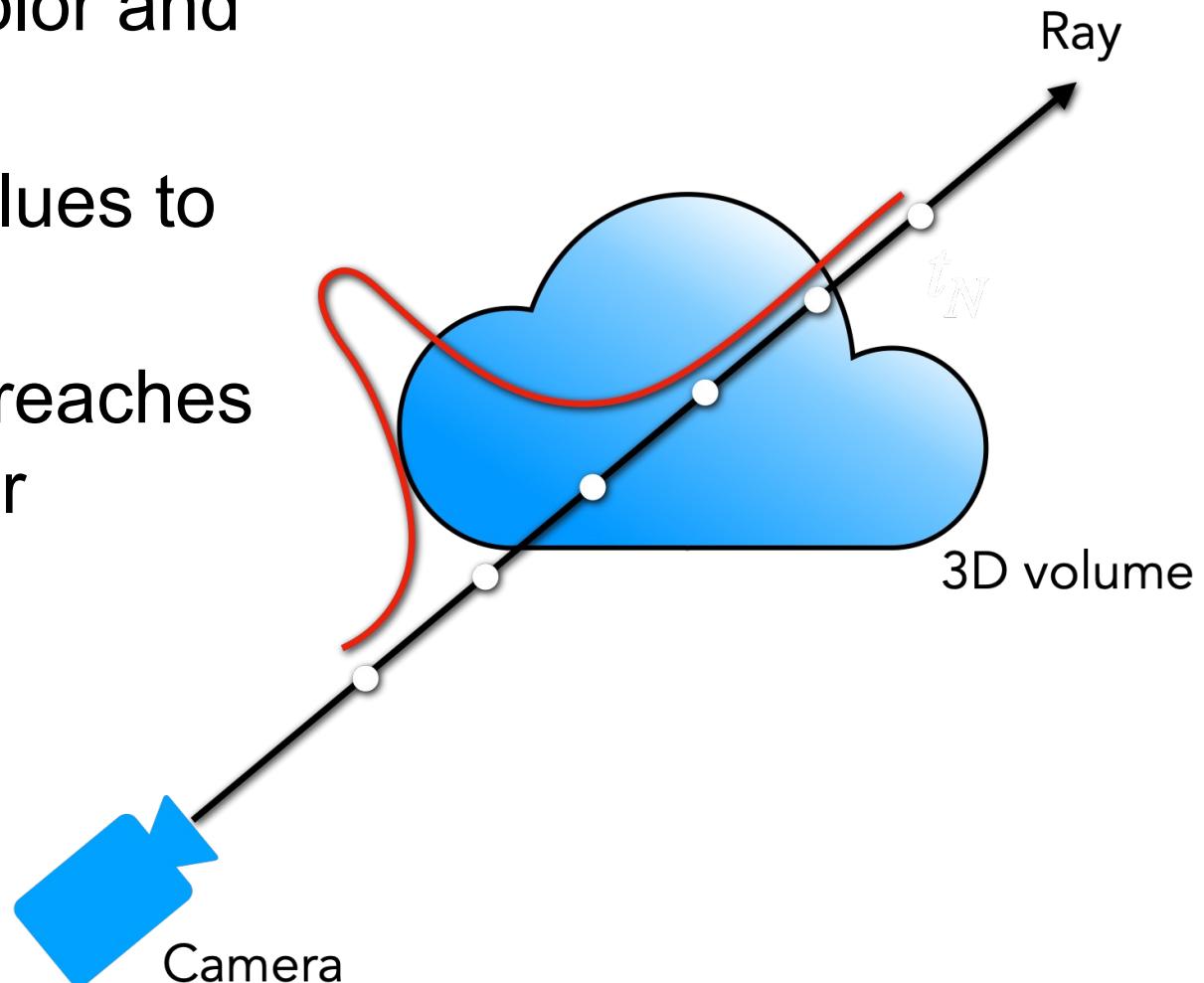


Volumetric “fog” model: Every 5D input gets mapped to **Color and Density**



NeRF rendering

- At every point you know color and density: (c_i, σ_i)
- Need to integrate these values to render a pixel
- Idea: sum how much light reaches each point * visibility * color



How to render a pixel: Volume rendering

Given: a ray $\mathbf{r}(i) = \vec{o} + i\vec{d}$

At every point you know: (c_i, σ_i)

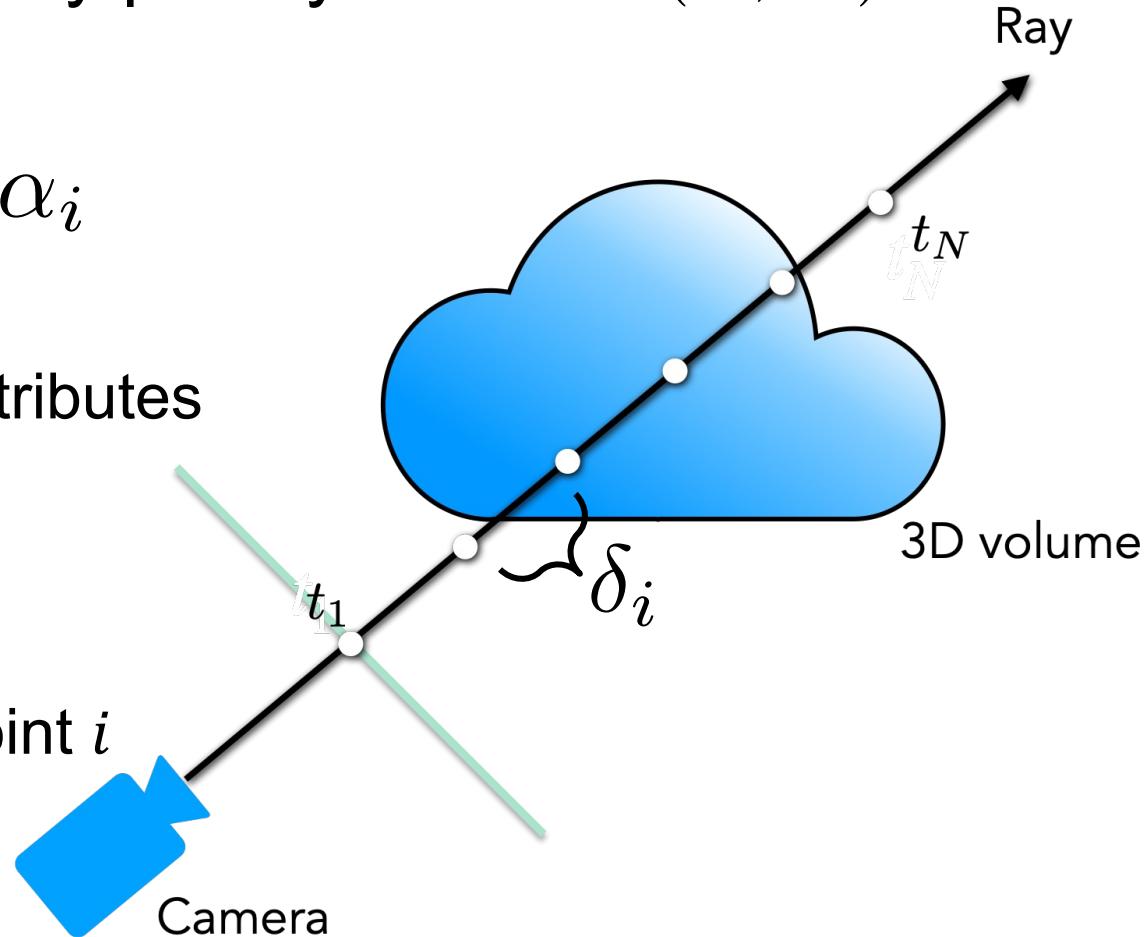
$$C(\mathbf{r}) \approx \sum_i^N w_i c_i \quad w_i = T_i \alpha_i$$

Alpha: How much light a ray segment contributes

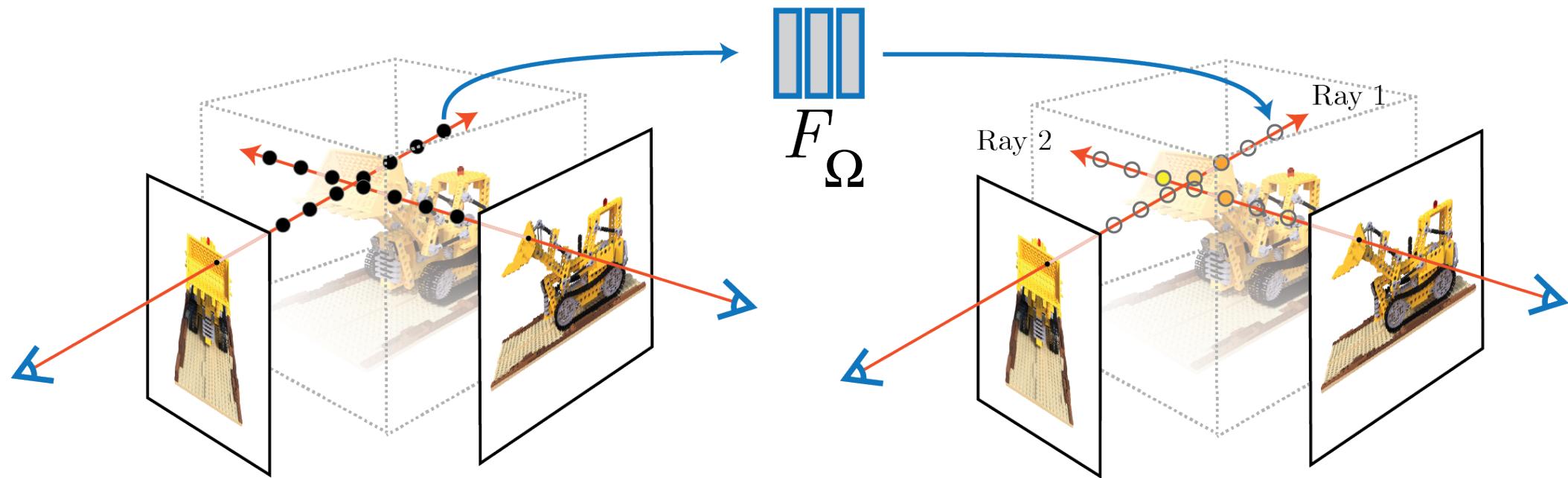
$$\alpha_i = 1 - \exp(-\sigma_i \delta_i)$$

Transmittance: how much light reaches point i

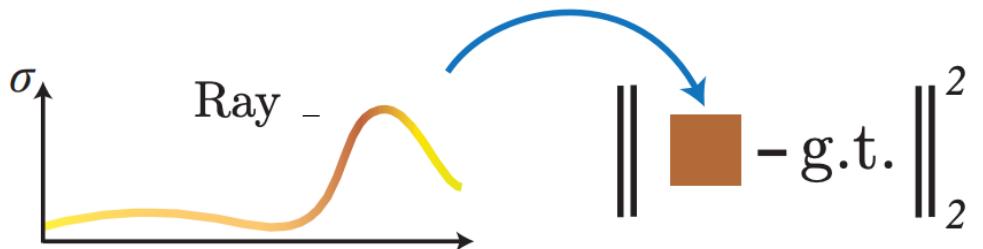
$$T_i = \prod_{j=1}^{i-1} (1 - \alpha_j)$$



Training: Optimization with reconstruction loss



$$\min_{\Omega} \sum_i \|\text{render}^{(i)}(F_{\Omega}) - I_{\text{gt}}^{(i)}\|^2$$



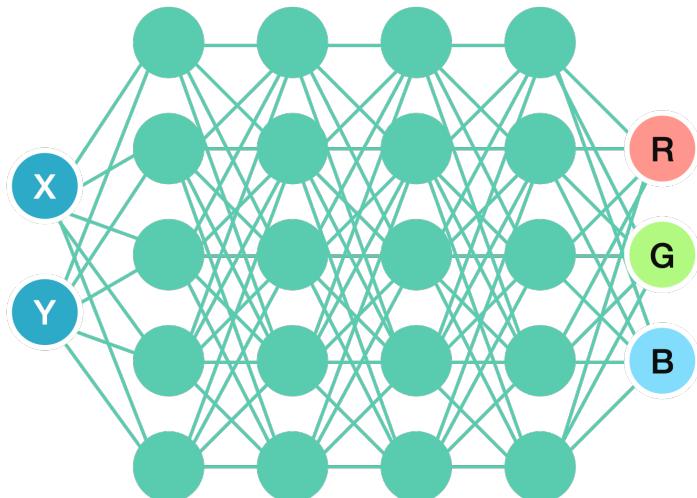
Example results





Positional Encoding

- As is, MLPs don't like to represent high-frequency functions

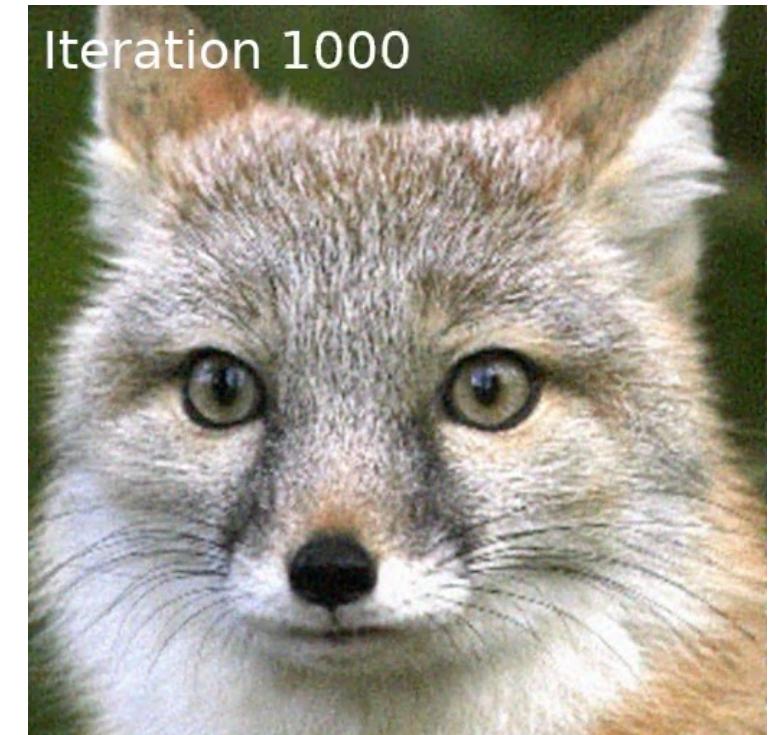
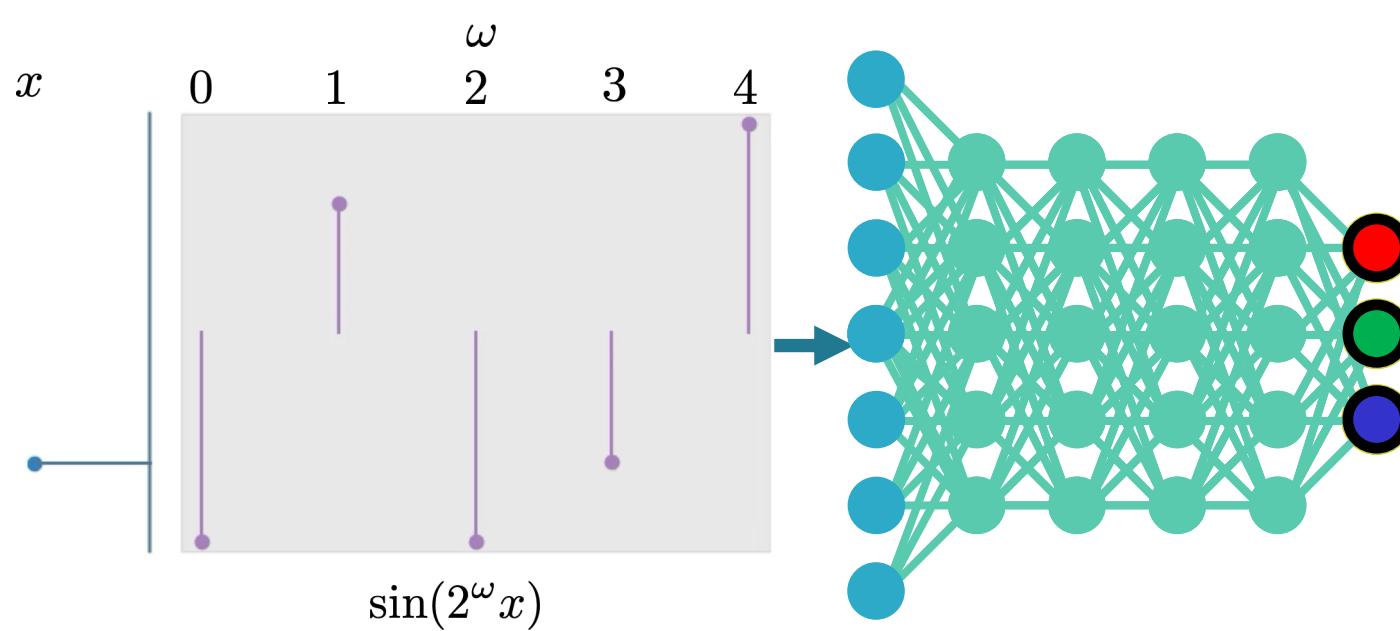


MLP output

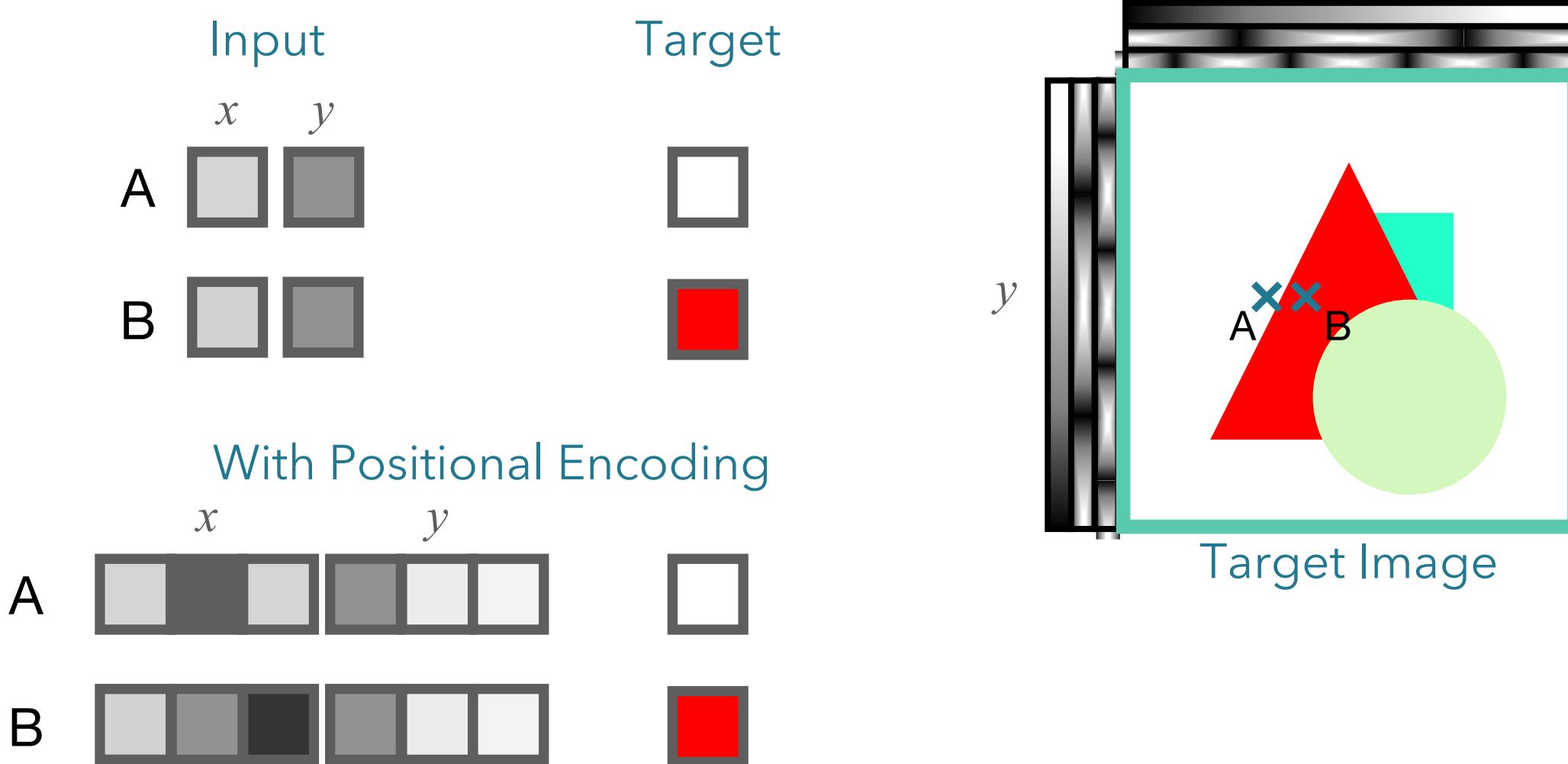


Positional Encoding

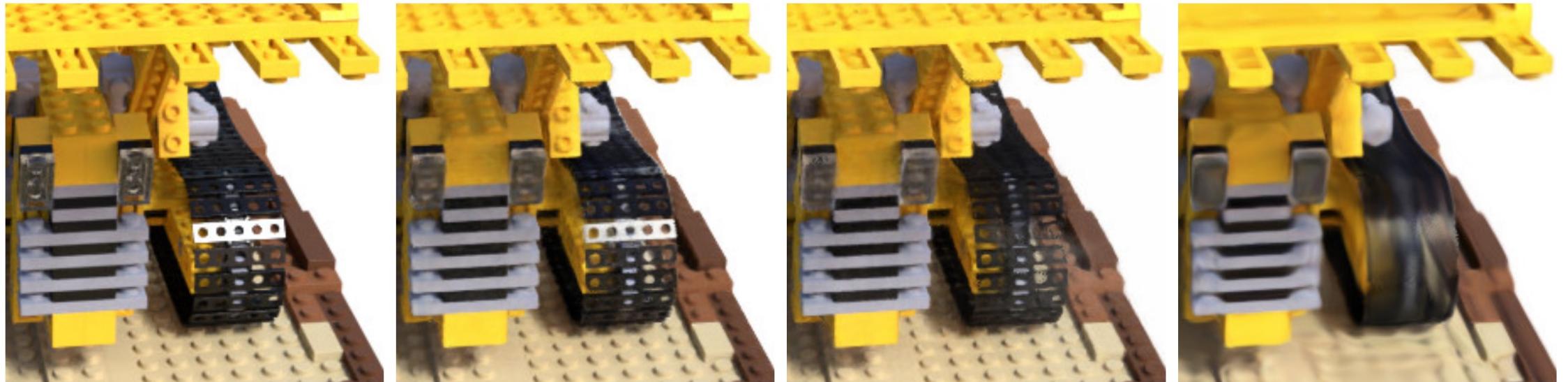
- Help the MLP by providing it with high-frequency transformations of input coordinates
- $\gamma(p) = (\sin(2^0\pi p), \cos(2^0\pi p), \dots, \sin(2^{L-1}\pi p), \cos(2^{L-1}\pi p))$



Why does positional encoding help?



Positional Encoding (Results)



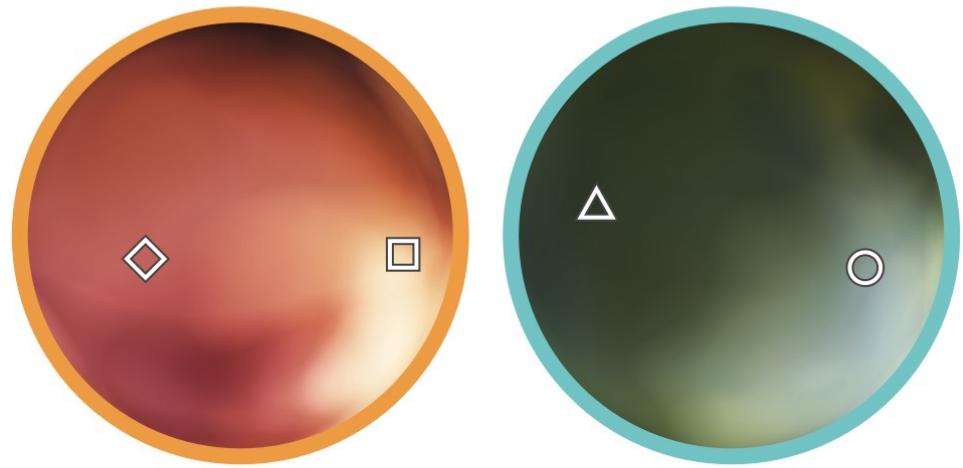
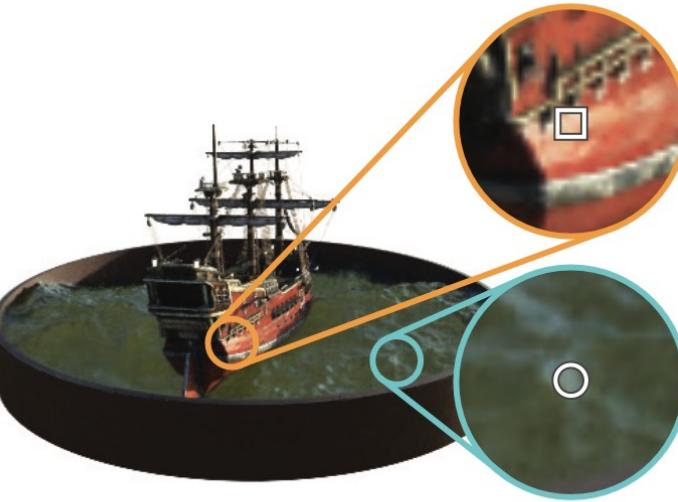
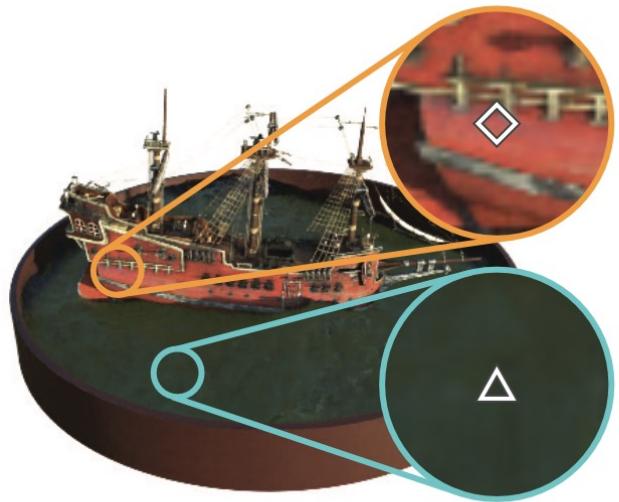
Ground Truth

Complete Model

No View Dependence

No Positional Encoding

View Dependent Emitted Radiance



(a) View 1

(b) View 2

(c) Radiance Distributions

Viewpoint-dependent effects



Viewpoint-dependent effects



Rendering expected depth

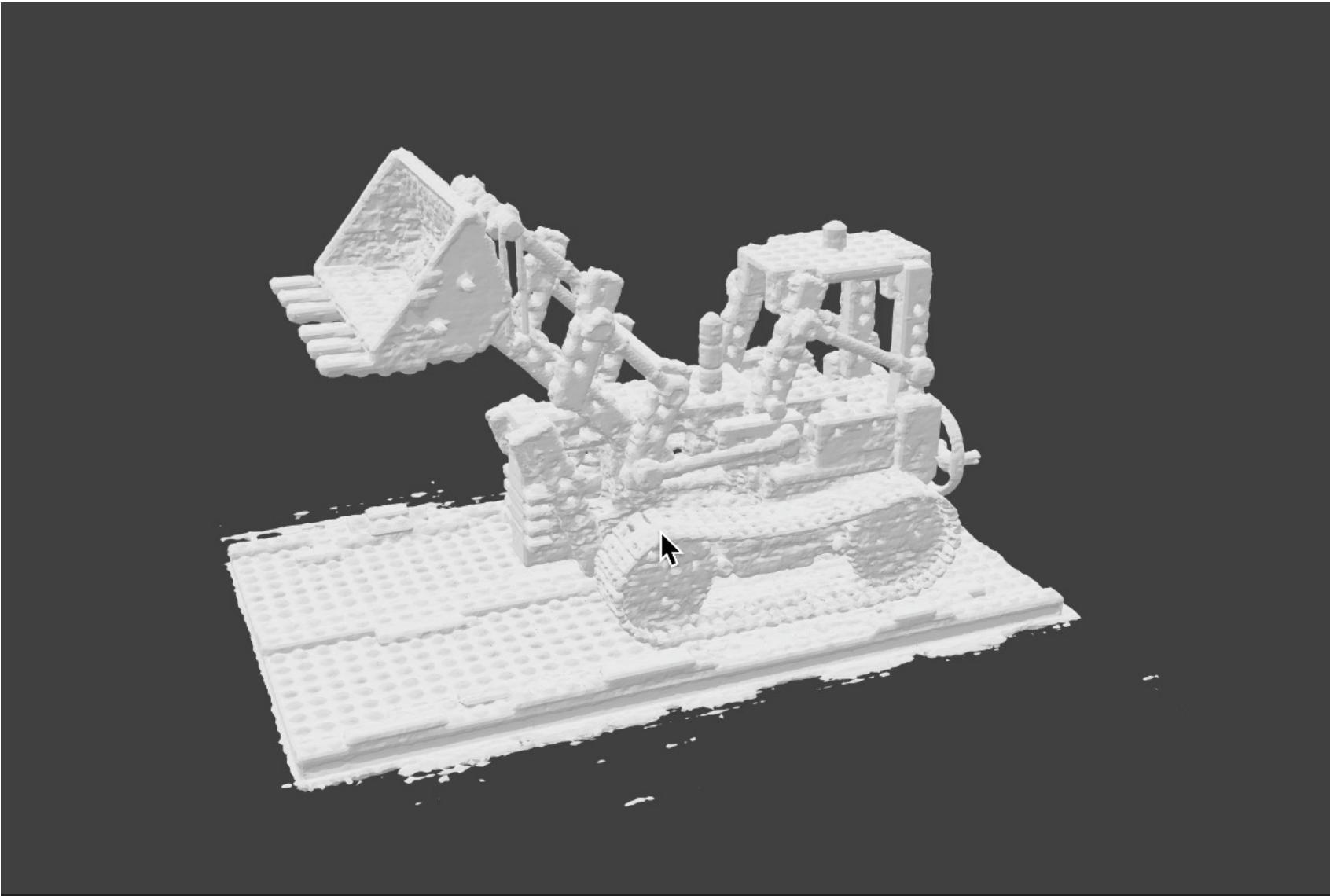
$$d(\mathbf{r}) \approx \sum_i^N T_i \alpha_i z_i$$



Because it
models the entire
plenoptic
function you can
insert objects
with proper
occlusion effects
(in contrast to
lightfields)



Extract surface on high density regions



NeRF limitations

- Expensive / slow to train and render
- Sensitive to sampling strategy
- Does not generalize between scenes
- Sensitive to pose accuracy
- Assumes static scene
- Assumes static lighting and camera focus
- Not a mesh

NeRF explosion

- ▶ Faster Inference
- ▶ Faster Training
- ▶ Unconstrained Images
- ▶ Deformable
- ▶ Video
- ▶ Generalization
- ▶ Pose Estimation
- ▶ Lighting
- ▶ Compositionality
- ▶ Scene Labelling and Understanding
- ▶ Editing
- ▶ Object Category Modeling
- ▶ Multi-scale
- ▶ Model Reconstruction
- ▶ Depth Estimation
- ▶ Robotics
- ▶ Large-scale scene

▼ Faster Training

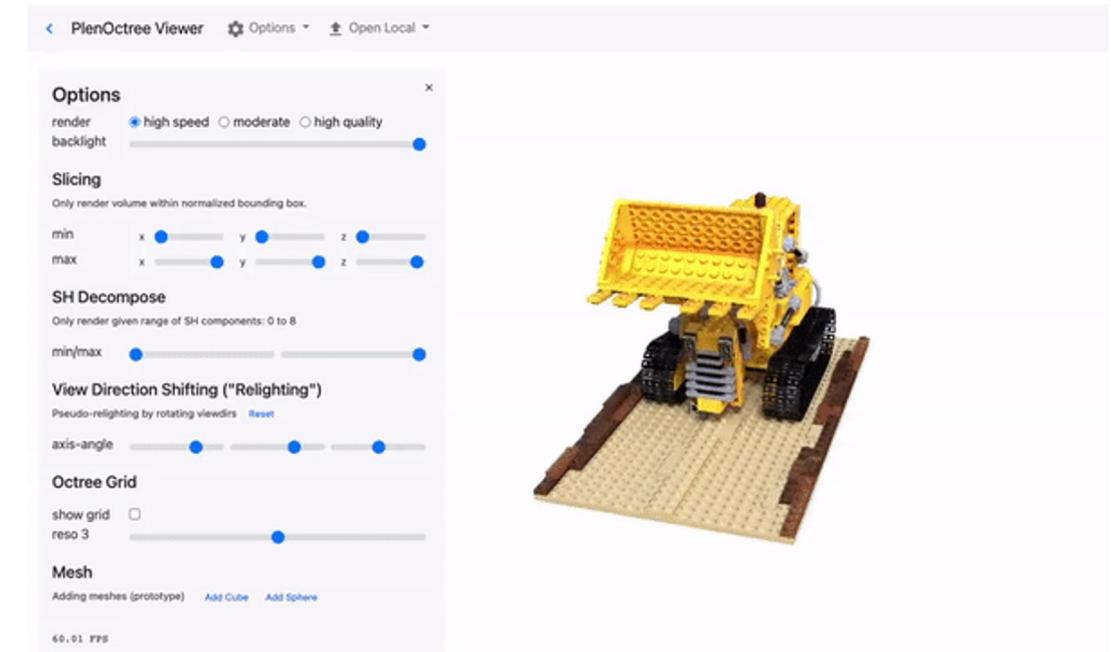
- [Depth-supervised NeRF: Fewer Views and Faster Training for Free](#), Deng et al., Arxiv 2021 | [github](#) | [bibtex](#)
- [Direct Voxel Grid Optimization: Super-fast Convergence for Radiance Fields Reconstruction](#), Sun et al., CVPR 2022 | [github](#) | [bibtex](#)
- [Instant Neural Graphics Primitives with a Multiresolution Hash Encoding](#), Müller et al., SIGGRAPH 2022 | [github](#) | [bibtex](#)
- [Plenoxels Radiance Fields without Neural Networks](#), Yu et al., CVPR 2022 | [github](#) | [bibtex](#)
- [TensoRF: Tensorial Radiance Fields](#), Chen et al., ECCV 2022 | [github](#) | [bibtex](#)
- [BakedSDF: Meshing Neural SDFs for Real-Time View Synthesis](#), Yariv et al., Arxiv 2023 | [bibtex](#)

▼ Deformable

- [Deformable Neural Radiance Fields](#), Park et al., Arxiv 2020 | [github](#) | [bibtex](#)
- [D-NeRF: Neural Radiance Fields for Dynamic Scenes](#), Pumarola et al., CVPR 2021 | [github](#) | [bibtex](#)
- [Dynamic Neural Radiance Fields for Monocular 4D Facial Avatar Reconstruction](#), Gafni et al., CVPR 2021 | [github](#) | [bibtex](#)
- [Non-Rigid Neural Radiance Fields: Reconstruction and Novel View Synthesis of a Deforming Scene from Monocular Video](#), Tretschk et al., Arxiv 2020 | [github](#) | [bibtex](#)
- [PVA: Pixel-aligned Volumetric Avatars](#), Raj et al., CVPR 2021 | [github](#) | [bibtex](#)
- [Neural Articulated Radiance Field](#), Noguchi et al., Arxiv 2021 | [github](#) | [bibtex](#)
- [CLA-NeRF: Category-Level Articulated Neural Radiance Field](#), Tseng et al., ICRA 2022 | [bibtex](#)

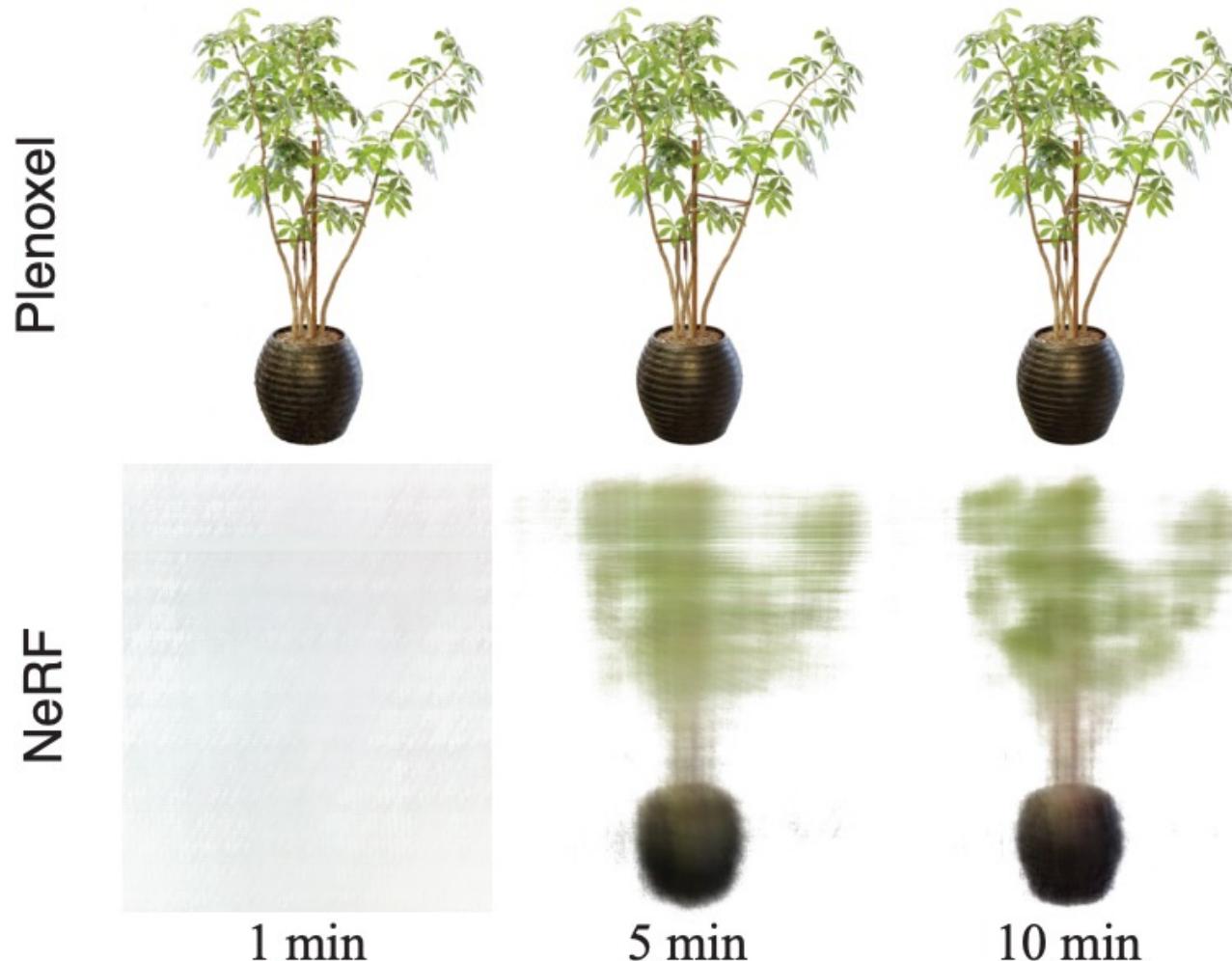
Fast Inference

- PlenOctrees [Yu et al. ICCV'21]
- SNeRG [Hedman et al. ICCV'21]
- FastNeRF [Garbin et al. ICCV'21]
- KiloNeRF [Reiser et al. ICCV'21]
- AutoInt [Lindell et al. CVPR'21]
- ...



PlenOctrees [Yu et al. ICCV'21]

Plenoxels



Plenoxels

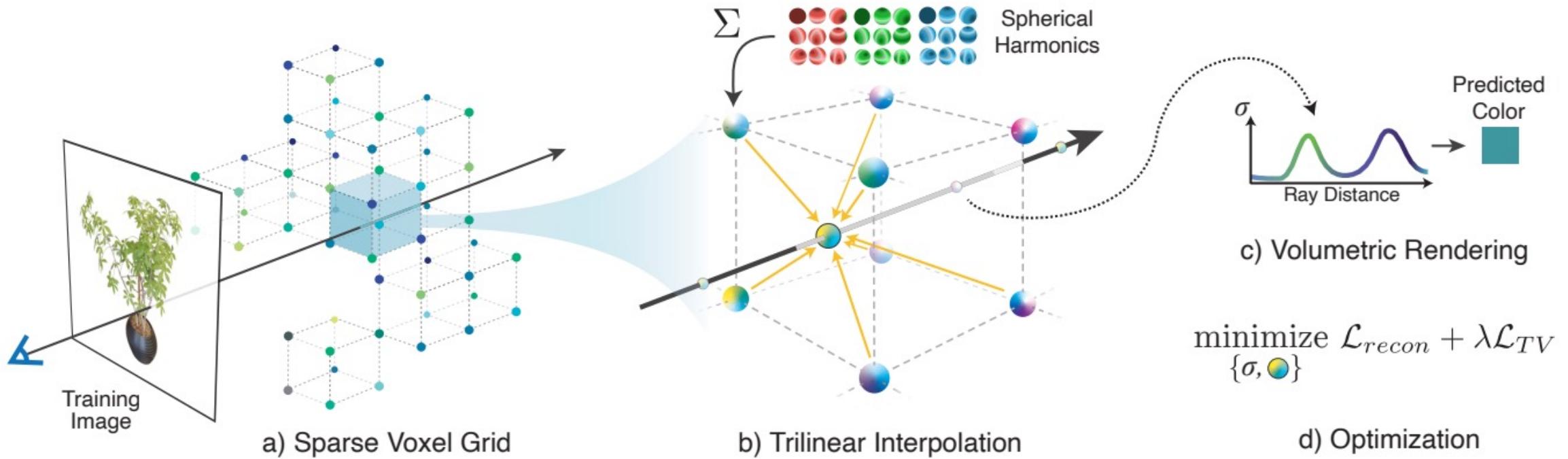
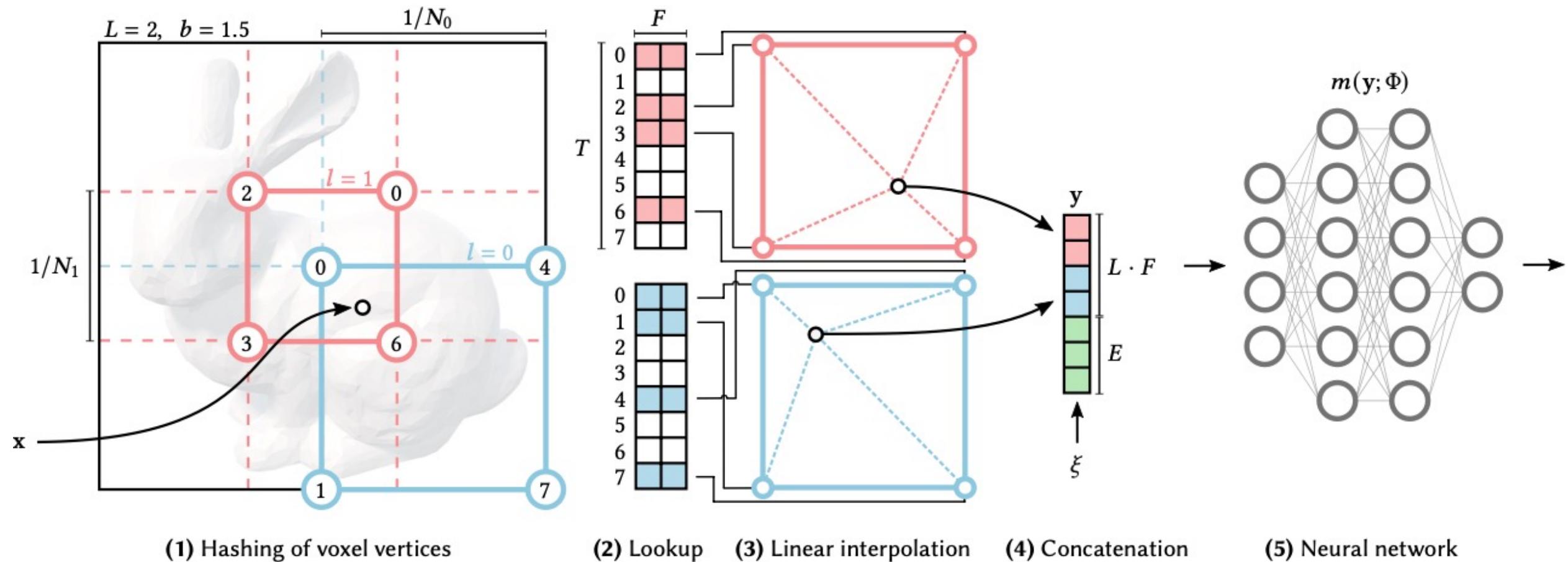


Figure 2. **Overview of our sparse Plenoxel model.** Given a set of images of an object or scene, we reconstruct a (a) sparse voxel (“Plenoxel”) grid with density and spherical harmonic coefficients at each voxel. To render a ray, we (b) compute the color and opacity of each sample point via trilinear interpolation of the neighboring voxel coefficients. We integrate the color and opacity of these samples using (c) differentiable volume rendering, following the recent success of NeRF [26]. The voxel coefficients can then be (d) optimized using the standard MSE reconstruction loss relative to the training images, along with a total variation regularizer.

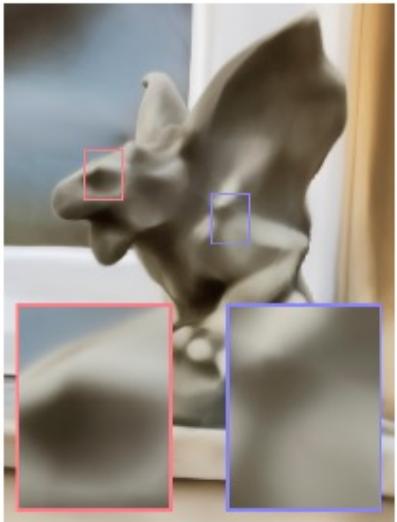
Instant NGP

- Multi-resolution hash encoding to use sparse feature maps
- Let NN deal with collisions at higher resolutions



Instant NGP

(a) No encoding



411 k + 0 parameters
11:28 (mm:ss) / PSNR 18.56

(b) Frequency
[Mildenhall et al. 2020]



438 k + 0
12:45 / PSNR 22.90

(c) Dense grid
Single resolution



10 k + 33.6 M
1:09 / PSNR 22.35

(d) Dense grid
Multi resolution



10 k + 16.3 M
1:26 / PSNR 23.62

(e) Hash table (ours)
 $T = 2^{14}$



10 k + 494 k
1:48 / PSNR 22.61

(f) Hash table (ours)
 $T = 2^{19}$



10 k + 12.6 M
1:47 / PSNR 24.58

Instant NGP

- Applicable to many other implicit functions

